## Supporting Information

# Two-Dimensional SnS: A Phosphorene Analogue with Strong In-Plane Electronic Anisotropy 

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## density of dangling bonds:

## $2 / c>2 / b>2 / d$

Figure S1. Procedure for calculating the density of dangling bonds at different planes. At the (010) plane, we can see that every two bonds take a length of c . While for the (001) and (011) planes, every two bonds take a length of $b$ and d, respectively. Since $c, b$ and $d$ form a right triangle, we have $d^{2}=c^{2}+b^{2}$. Then the density of dangling bonds at the (011) planes is the lowest, hence thermodynamically most stable.


Figure S2. (a, d) OM and AFM images of a 13.3 nm SnS FET device on $300 \mathrm{~nm} \mathrm{SiO}_{2}$ substrate. (b, c) Raman spectra of the SnS FET device shown in (a) and (d) with the polarization of incident and scattered light parallel (b) and perpendicular (c), respectively. (e, f) The $I_{d s}-V_{d s}$ plots at various $T$ along the armchair and zigzag directions respectively with the back gate grounded.
$(\mathrm{g}, \mathrm{h})$ The channel sheet conductivity $\sigma$ versus $V_{b g}$ at different $T$ along the armchair and zigzag directions. Again it is easy to see that the zigzag direction has the higher mobility.


Figure S3. $(\mathrm{a}, \mathrm{b})$ The mobility $\mu$ and the four-terminal sheet conductivity $\sigma$ extracted from Figures $\mathrm{S} 2(\mathrm{~g})$ and (h) at zero gate voltage. (c) The ratios of $\mu, \sigma$ and two-terminal conductivity $\sigma_{2 t}$ between zigzag and armchair directions at various $T$. (d) $\ln n T^{-3 / 4}$ as a function of $1000 / T$. The solid lines are linear fits of the data with activation energy $E_{a}$ of $43 \pm 2 \mathrm{meV}$ along the armchair direction and $41 \pm 2 \mathrm{meV}$ along the zigzag direction.

