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## ACS Publications

Axial Base $K_{\text {assoc. }}$ Values for Coenzyme $B_{12}$ "Models".
Many axial base Kassoc. are available for Coenzyme $\mathrm{B}_{12}$ "model" complexes, particularly for the well studied alkylcobaloximes. 1 For example, methylcobaloxime has a pyridine base binding constant ${ }^{1 \mathrm{f}} \mathrm{g}$ of ca. $2 \times 10^{3} \mathrm{M}^{-1}$ and a $p-\mathrm{NH}_{2}$-pyridine binding constant ${ }^{1 \mathrm{f}}$ of ca. $1 \times 10^{4} \mathrm{M}^{-1}\left(25^{\circ} \mathrm{C} ; \mathrm{H}_{2} \mathrm{O}\right.$, ionic strength 1.0 M$)$. Even for the sterically bulky alkyl isoproplycobaloxime, the pyridine binding constant is $484 \pm 18 \mathrm{M}^{-1}$. 1 f Tertiary phosphines are also well known to bind tightly to alkylcobaloximes ${ }^{1 d}$ [results which contrast dramatically the lack of binding to AdoCbi+ reported herein of even the smallest and most basic phosphines, i.e., PMe3]. In other words, the cobaloxime $\mathrm{B}_{12}$ "models" are very poor quantitative mimics of coenzyme $B_{12}$ s axial-base binding equilibria, often exhibiting Kassoc. too large by at least $10^{2} .1 \mathrm{~h}$ (Additional cobaloxime axial-base and related studies are available to the interested reader. ${ }^{1 \mathrm{j}-\mathrm{r}}$ )

We note, however, that the $\mathrm{Co}(\mathrm{SALEN})$ or $\mathrm{Co}(S A L O P H) \mathrm{B}_{12}$ models exhibit axialbase properties more like those of $\mathrm{B}_{12}$, for instance axial-base association constants that are weaker than those exhibited by cobaloximes and thus more $B_{12}$-like (a rare 5 coordinate alkylCo(SALEN) has even been crystallographically characterized ${ }^{2}$ ). Also noteworthy is the ca. $10^{11}$ higher substitution lability of $C O$ (SALEN) than that seen for the analogous cobaloximes, ${ }^{2}$ another "more $\mathrm{B}_{12}$-like" property. Lippard's recently reported 5 coordinate RCo (tropocoronand) $\mathrm{B}_{12}$ models ${ }^{1 \mathrm{i}}$ are very intriguing in this regard and merit axdal-base $K_{\text {assoc. }}$ studies, and further studies of their apparent stereochemical control of R-Co and Co-B

[^0]labilities and bond energies. Furthermore, and as Marzilli has noted, ${ }^{3}$ the interesting highspin forms of 5 coordinate Co(II)(SALEN or SALOPH) [and possibly of Co (II)(tropocoronands) (?) $]^{1 \mathrm{i}}$ are potentially very significant and worthy of greater study. ${ }^{4}$ It remains, however, to be seen if the Co out-of-plane distortions and associated high spin $\mathrm{Co}(\mathrm{II})$ form in $\mathrm{B}_{12}$ models can be analogously demonstrated in cobalamin chemistry. If so, then they become very interesting candidates to possibly help explain the enzyme's $10^{12}$ acceleration of the AdoCbl $\mathrm{Co}-\mathrm{C}$ homolysis step. ${ }^{5}$ In addition, as also noted in the main text, quantitative $\mathrm{K}_{\text {assoc., }} \Delta \mathrm{H}$, and $\Delta S$ measurements in ethylene glycol for the following Ado-alkyl complexes would be of value and would permit a more quantitative comparison to the $\mathrm{AdoCbi}^{+}$studies provided in the main text: Adocobaloxime, AdoCo(SALEN/SALOPH), and AdoCo(tropocoronand). Also of general interest would be studies measuring axial-base $\mathrm{K}_{\text {assoc., }} \Delta \mathrm{H}$, and $\Delta \mathrm{S}$ values for $\mathrm{Co}(\mathrm{II})$ cobaloxime, $\mathrm{Co}(\mathrm{II})(\mathrm{SALEN} / \mathrm{SALOPH})$, and $\mathrm{Co}(\mathrm{II})$ (tropocoronand).

## Attempted Studies of Kassoc for $\mathrm{AdoCbi}^{+}$Plus Common Phosphines

Experimental details, plus a brief discussion of the results, are provided in the main text. The key result, however, is that in no case was phosphine binding detectable.

Table A. Kassoc. $\left(25^{\circ} \mathrm{C}\right)$ Upper Limits for AdoCbi ${ }^{+}$Plus Phosphines in Ethylene Glycol.

| Phosphine (PR3) | [Phosphine] <br> (M) | Equivalents of <br> phosphine | $\mathrm{K}_{\text {assoc. }}{ }^{a}$ <br> $\left(\mathrm{M}^{-1}\right) 25^{\circ} \mathrm{C}$ | Cone angle, $b$ <br> (degrees) |
| :--- | :--- | :--- | :--- | :--- |
| $\mathrm{P}(\text { cyclohexyl })_{3}$ | $1.0 \times 10^{-2}$ | 188 | $<5.0$ | $>170$ |
| $\mathrm{P}(i \text {-propyl })_{3}$ | $3.0 \times 10^{-2}$ | 206 | $<2.2$ | 160 |
| $\mathrm{P}(\mathrm{Ph})_{2}(n-$ butyl $)$ | $3.0 \times 10^{-2}$ | 165 | $<1.8$ | 135 |
| $\mathrm{P}(\text { n-butyl })_{3}$ | $3.0 \times 10^{-2}$ | 173 | $<1.8$ | 132 |
| $\mathrm{P}(\text { ethyl })_{3}$ | $1.6 \times 10^{-1}$ | 1000 | $<0.3$ | 132 |
| $\mathrm{P}(\text { methyl })_{3}$ | $3.0 \times 10^{-1}$ | 1562 | $<0.2$ | 118 |

(a) Maximum $25^{\circ} \mathrm{C}$ Kassoc. values, calculated as described in the Experimental Section.
(b) Tolman, C. A. Chem. Rev. 1977, 77, 212.
${ }^{3}$ For a concise discussion of the possibility of an "ideal" $\mathrm{Co}-\mathrm{N}$ bond to the axial 5,6dimethylbenzimidazole ligand see pp 248-249 of: Marzilli, L. In Bioinorganic Catalysis; Reedijk, J. Ed.; Marcel Dekker, Inc.: New York, 1993, p. 227-259.

4 (a) Calligaris, M.; Nardin, G.; Randaccio, L. J. Chem. Soc., Dalton Trans. 1974, 1903. (b) Kennedy, B. J.; Fallon, G. D.; Gatehouse, B. M. K. C.; Murray, K. S. Inorg. Chem. 1984, $23,580$.

5 (a) Finke, R. G.; Hay, B. P. Inorg. Chem. 1984, 23, 3041. (b) Hay, B. P.; Finke, R. G. J. Am. Chem. Soc. 1986, 108, 4820. (c) Hay, B. P.; Finke, R. G. Polyhedron 1988, 7, 1469.

Overlays of $\mathrm{AdoCbi}^{+} \mathbf{U V}$-visible spectra with differing concentrations of base.
As described in the Experimental section of the main text, the Kassoc. constants were determined by measuring the absorbance as a function of base concentration and temperature. Each scan was run on a separate cuvette containing nearly identical concentrations of $\mathrm{AdoCbi}^{+}$ (the slight deviance in isosbestic points in some of the runs is due to a slightly different corrin concentration in the different cuvettes). Base concentrations ranged from 250 to 10,000 equivalents (relative to the [corrin]). Representative examples of the spectra are provided below. (Note that, in order to have maximal $\Delta$ absorbance changes at the wavelengths followed [ 520,455 and, where possible as a check, 415 and 380 nm ], the asorbance at $<330 \mathrm{~nm}$ is deliberately in a unreliable absorbance range of $>1.5$.)

Figures A-E. Overlaid spectra of AdoCbi+ (ca. 2 to $2.5 \times 10^{-2} \mathrm{M}$ ) in ethylene glycol ( $25^{\circ} \mathrm{C}$ ) as a function of added base.


Figure A. AdoCbi ${ }^{+}$plus $p$-CN-pyridine ( 2.0 to 0.5 M ).


Figure B. AdoCbi ${ }^{+}$plus pyridine ( 2.0 to 0.25 M ).


Figure C. AdoCbi ${ }^{+}$plus $p$ - $\mathrm{CH}_{3}$-pyridine ( 2.0 to 0.125 M ).


Figure D. AdoCbi ${ }^{+}$plus $p$ - $\mathrm{NH}_{2}$-pyridine ( 2.0 to 0.125 M ).


Figure E. AdoCbi ${ }^{+}$plus $p$ - $\mathrm{Me}_{2} \mathrm{~N}$-pyridine ( 1.0 to $6.25 \times 10^{-2} \mathrm{M}$ ).

Representative plots using equations 1 or 2.

For an equilibria of the form $A+B=C$
where $\mathrm{A}=$ AdoCbi $^{+}, \mathrm{B}=$ Base, $\mathrm{C}=\left[\right.$ AdoCbi $\bullet$ base $\left.{ }^{+}\right]$:

$$
\begin{gathered}
\text { (1) } A b s=\frac{-\left(A b s-A b s_{0}\right)}{\left[B_{0}\right]} \cdot \frac{1}{K_{a s s o c}}+A b s_{\infty} \\
\text { (2) } K^{-1}=\frac{\left(A b s-A b s_{0}\right)}{\left(\varepsilon_{C}-\varepsilon_{a}\right)}-\left[A_{0}\right]-\left[B_{0}\right]+\frac{\left(\left[A_{0}\right]\left[B_{o}\right]\left(\varepsilon_{C}-\varepsilon_{a}\right)\right)}{\left(A b s-A b s_{0}\right)}
\end{gathered}
$$

Using equation 1 (for a derivation, see reference 21 b provided in the main text), a plot of (Abs$\left.\left.A b s_{o}\right] /\left[B_{o}\right]\right)$ vs. Abs is made; the slope $=K^{-1}$ and the $y$ intercept $=A b s_{\infty}$, the all-base-on absorbance. The only limitation to this equation is that the [Base] must be greater than the [AdoCbi+].

Another method for deriving the desired Kassoc. is Drago's method, ${ }^{6}$ eq. 2. The data is plotted by estimating the extinction coefficient of the base-on AdoCbi ${ }^{+}$and solving the equation for $\mathrm{K}^{-1}$ at a given concentration of base. Three or more $\varepsilon_{\mathrm{C}}$ estimates yields a straight line. This process is repeated at three or more [Base] values, resulting in a graph consisting of three intersecting lines. $K^{-1}$ and $\varepsilon_{C}$ are extrapolated from the center of the triangle formed, and error bars are estimated from the triangle's extremes.

[^1]Representative examples of the various plots are provided below.


Figure F. AdoCbi ${ }^{+}$plus pyridine ( $25^{\circ} \mathrm{C}$; 520 nm data), Abs vs. -(Abs - Abso $) /[$ base $]$ plot; $\mathrm{y}=$ $0.99 x+0.51, \mathrm{R}^{2}=0.992$. Data collected at 380 or 455 nm gave the same results within experimental error.


Figures G. AdoCbi ${ }^{+}$plus $\mathrm{CH}_{3}$-pyridine ( $25^{\circ} \mathrm{C}, 520 \mathrm{~nm}$ data) linear regression of Abs vs. -(Abs $\left.\mathrm{Abs}_{\mathrm{o}}\right) /\left[\right.$ base ]; $\mathrm{y}=1.05 \mathrm{x}+1.3, \mathrm{R}^{2}=0.96$. Data collected at 380,415 , or 455 nm gave the same results within experimental error, as did "Drago plots" of the 380,455 or 520 nm data.


Figure H . AdoCbi ${ }^{+}$plus $\mathrm{CH}_{3}$-pyridine "Drago plot" of the 380 nm data. The center of the resultant triangle yields $\mathrm{K}^{-1}=1$, while the extremes of the triangle yielded the error estimates $\pm 0.33$.


Figure I. AdoCbi ${ }^{+}$plus $\mathrm{NH}_{2}$-pyridine ( $25^{\circ} \mathrm{C}, 455 \mathrm{~nm}$ data) Abs vs. -(Abs -Abs o [base] plot; $\mathrm{y}=$ $0.408 \mathrm{x}+1.04, \mathrm{R}^{2}=0.911$. Data collected at 380,415 , or 520 nm gave the same results within experimental error, as did "Drago plots" of the 415 or 520 nm data.


Figure J. AdoCbi ${ }^{+}$plus $\mathrm{Me}_{2} \mathrm{~N}$-pyridine $\left(10^{\circ} \mathrm{C} ; 520 \mathrm{~nm}\right.$ data), Abs vs. - (Abs - Abso)/[base] plot; y $=0.252 x+0.82, \mathrm{R}^{2}=0.993$. Data collected at 380 or 455 nm gave the same results within experimental error.
$\ln K_{\text {assoc.. }}$ vs. $1 / T$ plots.

From the $\mathrm{K}_{\text {assoc. }}$ values measured at several different temperatures, the thermodynamic parameters $\Delta H$ and $\Delta S$ were obtained in the usual fashion by plotting $\ln K_{\text {assoc. }}$ vs. $1 / T$, where the slope yields $-\Delta H / R$ and the $y$-intercept yields $\Delta S / R$. All plots are provided below.

$1 / T$

Figure K. $\ln \mathrm{K}_{\mathrm{assoc}}$. vs. $1 / \mathrm{T}$ plots of AdoCbi ${ }^{+}$plus pyridine $\left[\mathrm{O} ; \mathrm{y}=\left(1.64 \times 10^{3}\right) \mathrm{x}-5.57, \mathrm{R}^{2}=\right.$ 0.976]; plus $\mathrm{CH}_{3}$-pyridine $\left[* ; y=\left(1.67 \times 10^{3}\right) x-5.65, \mathrm{R}^{2}=0.993\right]$; plus $\mathrm{NH}_{2}$-pyridine $[+; \mathrm{y}=$ $\left(2.28 \times 10^{3}\right)-6.78, \mathrm{R}^{2}=0.977$ ], or plus $\mathrm{Me}_{2} \mathrm{~N}$-pyridine $\left[\bullet ; y=\left(3.25 \times 10^{3}\right) x-9.97, \mathrm{R}^{2}=0.914\right]$.

## Attempted AdoCbi ${ }^{+} \mathrm{Kassoc}$. Studies with RSH/RS-

See the main text for experimental details and for a brief discussion of these results. However, the key conclusion from the following table of results is that, at least for each case and under the conditions tested, no thiol or thiolate $\alpha$-axial binding could be detected.

Table B. Kassoc. Upper Limits for AdoCbi ${ }^{+}$Plus RSH or $\mathrm{RS}^{-}$at $25^{\circ} \mathrm{C}$ in Ethylene Glycol.

| RSH (or thiolate conjugate base $)^{\mathrm{a}}$ | $\mathrm{pK}^{\text {a }}{ }^{\text {b }}$ | solvent; pH | $25^{\circ} \mathrm{C} \mathrm{K}_{\text {assoc. }}\left(\mathrm{M}^{-1}\right)$ |
| :---: | :---: | :---: | :---: |
| $\beta$-mercaptoethanol | 9.5 | 14.3 M (neat) $\beta$-mercaptoethanol | <0.01 |
| $\beta$-mercaptoethanol | 9.5 | ethylene glycol | <0.53 |
| $\beta$-mercaptoethanol | " | pH 7.2 aqueous ${ }^{\text {c }}$ | $<0.47$ |
| $\beta$-mercaptoethanol a | "" | pH 10 aqueous ${ }^{\text {c }}$ | <0.28 |
| dithioerythritol | $\begin{aligned} & \mathrm{pK}_{\mathrm{a}}=9.2 \\ & \mathrm{pK}_{\mathrm{a} 2}=9.9 \end{aligned}$ | pH 7.2 aqueous | <0.53 |
| dithioerythritol ${ }^{\text {a }}$ | " " " | pH 10 aqueous | <0.26 |
| glutathione | 9.4 | pH 7.2 aqueous | <0.19 |
| glutathione a | " " | pH 10aqueous | $<0.21$ |

(a) Thiolate (or, for dithioerythritol, dithiolate) form of the corresponding thiol (or dithiol).
(b) $\mathrm{pK}_{\mathrm{a}}$ values are from Houk, J.; Whitesides, G. M. J. Am. Chem. Soc. 1987, 109, 6825. (c) Aqueous solutions were prepared by degassing (via 3-freeze-pump-thaw cycles) deionized $\mathrm{H}_{2} \mathrm{O}$, then buffering with 0.05 M phosphate. Any necessary slight pH adjustments were then made by the dropwise addition of $10 \% \mathrm{NaOH}$.


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[^1]:    ${ }^{6}$ Drago, R. S. Physical Methods in Chemistry; W. B. Saunders: Philadelphia, 1977; p 90.

