## Supporting Information for BI026327P

## Nitric Oxide induced formation of the S<sub>-2</sub> state in the oxygen evolving complex of photosystem II from *Synechococcus elongatus*

Josephine Sarrou, Sabina Isgandarova, Jan Kern, Athina Zouni, Gernot Renger, Wolfgang Lubitz and Johannes Messinger

Extentions to the Kok model to account for a possible direct electron donation of  $Y_D$ -NO to  $P680^+$ 

To simulate the effects of direct  $Y_D$ -NO oxidation by P680<sup>+</sup> on flash-induced oxygen yield patterns, the initial  $Y_D$ -NO population,  $[Y_D$ -NO]<sub>0</sub>, and the miss probability for its oxidation by P680<sup>+</sup>,  $\alpha_{YD-NO}$ , were introduced as additional free parameters. The miss probability results from the relative rates by which  $Y_Z$  and  $Y_D$ -NO are able to reduce P680<sup>+</sup> after single flash excitation at room temperature and from the  $Q_A^-$  concentration prior to flash excitation. For simplicity it is assumed that  $\alpha_{YD-NO}$  is S-state independent (see main text). Because in a given PSII center  $Y_D$ -NO can be oxidized only once within a flash train, the absolute  $Y_D$ -NO fraction that is oxidized per flash,  $\gamma_{YD-NO}(n)$ , declines with flash number, n, during the flash train according to:

$$\gamma_{\text{YD-NO}}(n) = (1 - \alpha_{\text{YD-NO}}) \cdot [Y_{\text{D}} - NO]_{n-1}$$

where  $[Y_D-NO]_{n-1} = [Y_D-NO]_{n-2} - \gamma_{YD-NO}(n-1)$  is the fraction of  $Y_D-NO$  present in PSII before the n-th flash. It is furthermore assumed that in the fraction of centers  $(1 - \gamma_{YD-NO}(n))$  in which the OEC is oxidized the miss and double hit probabilities are the same as in the control. Since the oxidation of  $Y_D$ -NO leads to a miss for the OEC, the now flash number dependent miss parameter can be calculated to be:

$$\alpha(n) = \alpha (1 - \gamma_{\text{YD-NO}}(n)) + \gamma_{\text{YD-NO}}(n).$$

Similarly it follows that the double hit,  $\beta$ , and single hit,  $\gamma$ , probabilities of the OEC are:

$$\begin{split} \beta(n) &= \beta \; (1 - \gamma_{\text{YD-NO}}(n)) \\ \gamma(n) &= (1 - \alpha - \beta) \; (1 - \gamma_{\text{YD-NO}}(n)). \end{split}$$

## Extentions to the Kok model to account for possible reductions of the $S_2$ and $S_3$ states by $Y_D$ -NO during the flash train

Fast reductions of the S<sub>2</sub> and S<sub>3</sub> states by Y<sub>D</sub>-NO were implemented into the extended Kok model described in Materials and Methods by splitting the initial S-state populations into a fraction A, where the nitroso tyrosine had been formed, and a fraction B = 1-A, in which back reactions do not take place during the flash train. Once the Y<sub>D</sub>-NO centers of fraction A reach the S<sub>2</sub> or S<sub>3</sub> state they were allowed to convert from fraction A into fraction B according to:

$$d[S_{2}(A)]/dt = -k_{21} \bullet [S_{2}(A)]$$
  
$$d[S_{3}(A)]/dt = -k_{32} \bullet [S_{3}(A)]$$
  
$$d[S_{1}(B)]/dt = k_{21} \bullet [S_{2}(A)]$$
  
$$d[S_{2}(B)]/dt = k_{32} \bullet [S_{3}(A)].$$