# SUPPORTING INFORMATION 

to

# Mechanism of Strand-Specific Smooth Muscle $\alpha$-Actin Enhancer Interaction by Purine-Rich Element Binding Protein B (Pur $\beta)^{\dagger}$ 

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## SUPPORTING MATERIALS AND METHODS

Recombinant Pur $\alpha$, fibroblast nuclear extracts, and Pur antibodies. Recombinant Pur $\alpha$ was expressed as an amino-terminal hexahistidine-tagged fusion protein in E. coli and purified as described previously (1, 2). Nuclear extracts from AKR-2B mouse embryonic fibroblasts were prepared from cell monolayers cultured under exponential growth conditions (3). Protein concentrations were assessed by bicinchoninic acid assay (Sigma-Aldrich) using high purity BSA (Boehringer-Mannheim) as a standard. The specificity of rabbit polyclonal antibodies against carboxy-terminal sequences in mouse Pur $\alpha$ (anti-Pur $\alpha$ 291-313) or Pur $\beta$ (anti-Pur $\beta$ 302324) was evaluated and documented previously (4).

Colorimetric ssDNA-Binding Immunoassay. Biotinylated single-stranded DNA probe was immobilized on streptavidin-coated microtiter wells (Streptawells ${ }^{\mathrm{TM}}$, Roche Applied Science) by application of $100 \mu \mathrm{~L} /$ well of 1.0 nM PE32-bF in buffer consisting of 20 mM HEPES pH 7.5 , $150 \mathrm{mM} \mathrm{NaCl}, 1.5 \mathrm{mM} \mathrm{MgCl}_{2}$ at $20 \pm 1^{\circ} \mathrm{C}$ for 1 h with moderate shaking. Solutions were removed and wells were rinsed three times with $300 \mu \mathrm{~L}$ of wash buffer consisting of 20 mM HEPES pH 7.5, $150 \mathrm{mM} \mathrm{NaCl}, 1.5 \mathrm{mM} \mathrm{MgCl} 2,0.05 \%$ (v/v) Tween 20. This was followed by application of $250 \mu \mathrm{~L} /$ well of blocking buffer consisting of 20 mM HEPES $\mathrm{pH} 7.5,150 \mathrm{mM}$ $\mathrm{NaCl}, 1.5 \mathrm{mM} \mathrm{MgCl} 2,20 \mathrm{mg} / \mathrm{ml} \mathrm{BSA}$ at $20 \pm 1^{\circ} \mathrm{C}$ for 1 h with moderate shaking. Wells were again rinsed three times with $300 \mu \mathrm{~L}$ of wash buffer. Solutions containing 1.0 nM N -HisPur $\beta$ and selected concentrations of competing oligonucleotides in binding buffer consisting of 50 mM Tris-HCl pH 7.5, $100 \mathrm{mM} \mathrm{KCl}, 0.5 \mathrm{mM}$ dithiothreitol, $2 \mu \mathrm{~g} / \mathrm{ml} \mathrm{dT}_{32}, 50 \mu \mathrm{~g} / \mathrm{ml}$ BSA were added at $100 \mu \mathrm{~L} /$ well and incubated at least 12 h at $4^{\circ} \mathrm{C}$. After overnight incubation, wells were triply washed as above. Solid-phase N-HisPur $\beta$ nucleoprotein complexes were detected by addition of $100 \mu \mathrm{~L}$ of primary antibody solution containing $1.0 \mu \mathrm{~g} / \mathrm{ml}$ rabbit anti-Pur $\beta$ 302-324 in antibody
buffer consisting of 20 mM HEPES $\mathrm{pH} 7.5,150 \mathrm{mM} \mathrm{NaCl}, 1.5 \mathrm{mM} \mathrm{MgCl}_{2}, 0.05 \%$ Tween 20,2 $\mathrm{mg} / \mathrm{ml} \mathrm{BSA}$ for 1 h at $20 \pm 1^{\circ} \mathrm{C}$. This was followed by triplicate washing and addition of $100 \mu \mathrm{~L}$ of secondary antibody solution containing $40 \mathrm{ng} / \mathrm{mL}$ goat anti-rabbit horseradish peroxidase conjugate (Santa Cruz Biotechnologies) in antibody buffer to each well and incubation for 1 h at $20 \pm 1^{\circ} \mathrm{C}$. Wells were again washed three times and $100 \mu \mathrm{~L}$ of $2,2^{\prime}$-azino-bis(3-ethylbenzthiazoline-6-sulfonic acid) substrate solution (ABTS, Chemicon) was added. After satisfactory color development by incubation at room temperature for $\sim 5 \mathrm{~min}, 100 \mu \mathrm{~L}$ of $1 \%$ $(\mathrm{w} / \mathrm{v})$ sodium dodecylsulfate was added and solution absorbance readings at 405 nm were obtained with a microplate reader. The sequence and corresponding promoter location of all SM $\alpha$ A-derived oligonucleotide competitors employed in this assay are listed in Table S1.

Analysis of Flourescence Anistropy Data to Determine Pur $\beta:$ PE32-F Stoichiometry. For the completely cooperative reaction, $n P+D \rightleftarrows P_{n} D$, where $P$ is the protein ligand, $D$ is the DNA lattice and $n$ is the stoichiometry of the terminal complex, the constant $K_{r}$ can be defined as:

$$
\begin{equation*}
K_{r}=\frac{[P][D]}{\left[P_{n} D\right]} \tag{S1}
\end{equation*}
$$

Note that $K_{r}$ is not a true equilibrium constant in cases where n is greater than unity. Substituting terms that take into account the law of mass action, $K_{r}$ can be written as:

$$
\begin{equation*}
K_{r}=\frac{\left(\left[P_{+}\right]-n\left[P_{n} D\right]\right)\left(\left[D_{+}\right]-\left[P_{n} D\right]\right)}{\left[P_{n} D\right]} \tag{S2}
\end{equation*}
$$

where $\left[P_{t}\right]$ and $\left[D_{t}\right]$ represent the total concentrations of protein and DNA, respectively. Solving for $\left[P_{n} D\right]$ gives the following quadratic equation.

$$
\begin{equation*}
\left[P_{n} D\right]=\frac{\left(\left[P_{t}\right]+n\left[D_{t}\right]+K_{r}\right) \pm\left(\left(\left[P_{t}\right]+n\left[D_{t}\right]+K_{r}\right)^{2}-4 n\left[P_{t}\right]\left[D_{t}\right]\right)^{1 / 2}}{2 n} \tag{S3}
\end{equation*}
$$

For a mixture of molecular species with different anisotropies (but with the same fluorescence intensities), the measurable anisotropy of the solution $\left(r_{o b s}\right)$ is the sum of the mole fractions of the individual species multiplied by their inherent anisotropic values $(5,6)$ :

$$
\begin{equation*}
r_{o b s}=f_{1} r_{1}+f_{2} r_{2}+\ldots+f_{i} r_{i} \tag{S4}
\end{equation*}
$$

where $f_{i}$ is the mole fraction (and quantum yield) and $r_{i}$ is the anisotropy of the $i^{\text {th }}$ species. Equation $S 4$ can be rearranged and expressed in terms of fraction bound, $f_{B}$ :

$$
\begin{equation*}
f_{\mathrm{B}}=\frac{\left[P_{n} D\right]}{\left[D_{t}\right]}=\frac{\left(r_{o b s}-r_{f}\right)}{\left(r_{b}-r_{f}\right)} \tag{S5}
\end{equation*}
$$

where $r_{b}$ and $r_{f}$ is the anisotropy of the bound and free species, respectively. Substituting equation S5 into equation S3 and applying terms that accommodate nonspecific binding gives equation S6:
$r_{o b s}=b\left(r_{b}-r_{f}\right) \frac{1}{\left[D_{t}\right]}\left\{\frac{\left(R_{P D}\left[D_{t}\right]+n\left[D_{t}\right]+K_{r}\right) \pm\left(\left(R_{P D}\left[D_{t}\right]+n\left[D_{t}\right]+K_{r}\right)^{2}-4 n R_{P D}\left[D_{t}\right]^{2}\right)^{1 / 2}}{2 n}\right\}$ $+r_{f}+m R_{P D D}\left[D_{t}\right]$
where $R_{P / D}$ is the molar ratio, $\left[P_{t}\right] /\left[D_{t}\right]$, and $b$ and $m$ are non-specificity terms that permit both the fluctuation of the equivalence saturation point and the slope of the plateau region due to nonspecific binding, respectively. Obtained anisotropy values, $r_{o b s}$, for titrations of N -HisPur $\beta$ against fixed concentrations of PE32-F-3FLC were plotted against known values of $R_{P / D}$, and fit to Equation S6 to obtain best-fit values of $n$ using Prism 5 software (GraphPad Software, Inc.).

EMSA with Nuclear Extracts and Antibodies. Purified recombinant proteins and crude nuclear extracts were diluted in EMSA binding buffer (main text) supplemented with 0.5 mM EDTA to limit nuclease activity in the cell extracts. Radiolabeled ssDNA probe (PE32-F*) was added to a final concentration of 1.0 nM . Binding reactions were incubated for 16 h at $4^{\circ} \mathrm{C}$ prior to the addition of selected amounts of super-shifting antibodies, anti-Pur $\alpha 291$ or anti-Pur $\beta$ 302, to a final volume of $40 \mu \mathrm{~L}$. After further 2 h incubation at $4^{\circ} \mathrm{C}$, a total of $10 \mu \mathrm{~L}$ of each binding
reaction (typically 5,000 $-10,000 \mathrm{cpm}$ ) was loaded and resolved by non-denaturing electrophoresis as described in the main text.

Statistical Mechanical Analysis of Titration EMSA Data to Assess Cooperative Interactivity. Data points representing the fraction of each stoichiometric species observed by EMSA ( $\Theta_{0}, \Theta_{1}$, and $\Theta_{2}$ ) were fit to binding equations reflecting the relative probability of each possible configuration assuming two interacting binding sites on the DNA and a single protein (7).

$$
\begin{align*}
& \Theta_{0}=\frac{1}{1+\left(k_{1}+k_{2}\right)\left[P_{\text {free }}\right]+k_{1} k_{2} k_{c}\left[P_{\text {free }}\right]^{2}}  \tag{S7}\\
& \Theta_{1}=\frac{\left(k_{1}+k_{2}\right)\left[P_{\text {free }}\right]}{1+\left(k_{1}+k_{2}\right)\left[P_{\text {free }}\right]+k_{1} k_{2} k_{c}\left[P_{\text {free }}\right]^{2}}  \tag{S8}\\
& \Theta_{2}=\frac{\left(k_{1} k_{2} k_{c}\right)\left[P_{\text {free }}\right]^{2}}{1+\left(k_{1}+k_{2}\right)\left[P_{\text {free }}\right]+k_{1} k_{2} k_{c}\left[P_{\text {free }}\right]^{2}} \tag{S9}
\end{align*}
$$

The microscopic constants $k_{1}, k_{2}$, and $k_{c}$ only appear in two combinations in all three equations and can be replaced by substituting macroscopic constants $K_{1}=k_{1}+k_{2}$, and $K_{2}=k_{1} k_{2} k_{c .}(7)$. Thus, global fitting of species-specific isotherms resolves the macroscopic constants $K_{1}$ and $K_{2}$, from which microscopic constants can only be extracted in instances where there is no cooperativity or binding sites are identical.

Analysis of Serial-Dilution EMSA Data to Determination Pur $\beta: P E 32-F$ Stoichiometry. For the estimation of stoichiometry, a general cooperative binding mechanism $n P+D \rightleftarrows P_{n} D$ was assumed in which case the macroscopic association constant $K_{a}$ is defined as:

$$
\begin{equation*}
K_{a}=\left[P_{n} D\right] /\left[P_{\text {free }}\right]^{n}\left[D_{\text {free }}\right] \tag{S10}
\end{equation*}
$$

where $P$ represents N-HisPur $\beta, D$ represents PE32-F*, and $n$ represents the stoichiometry of the nucleoprotein complex. Rearrangement of the definition of $K_{a}$ gives an equation suitable for linear regression analysis.

$$
\begin{equation*}
\ln \left(\left[P_{n} D\right] /\left[D_{\text {freee }}\right]\right)=n \ln \left[P_{\text {free }}\right]+\ln K_{a} \tag{S11}
\end{equation*}
$$

Densitometric analysis of phosphorimages was done using ImageQuant 5.2 software (Molecular Dynamics) to determine $\left[P_{n} D\right]$ and $\left[D_{\text {free }}\right.$, whereas [ $P_{\text {free }}$ ] was estimated from the relationship:

$$
\begin{equation*}
\left[P_{\text {free }}\right]=\left[P_{\text {input }}\right]-n\left[P_{n} D\right] \tag{S12}
\end{equation*}
$$

where $\left[P_{\text {input }}\right]$ is the input concentration and $n$ is an assigned integer value $(1,2$, or 3$)$ of the putative stoichiometry. Measured values of $\left[P_{n} D\right],\left[D_{\text {free }}\right]$, and estimated values of $\left[P_{\text {free }}\right]$ were then used to calculate a value of $n$ as the slope obtained from linear regression of a plot of $\ln \left(\left[P_{n} D\right] /\left[D_{\text {free }}\right]\right)$ versus $\left.\ln \left[P_{\text {free }}\right]\right)$. The assigned integer value of $n$ was iteratively changed until the estimated and returned regression value of $n$ converged. The value of $\ln K_{a}$ was also estimated from the intercept of the converged linear plot. Linear regression analyses were performed using Prism 5 software (GraphPad Software, Inc., San Diego, CA).

## SUPPORTING RESULTS AND DISCUSSION

Analysis of $N$-HisPur $\beta$ Binding to Truncated Versions of the SM $\alpha A$ enhancer element. To map nucleotides required for specific, high affinity ssDNA-binding by N -HisPur $\beta$, we designed and tested a panel of truncated oligonucleotides as competitors of N -HisPur $\beta$ interaction with PE32-bF by ELISA (Table S1). Figure S1 A and B show the competition curves generated using the -164 and -195 series, respectively. Nonlinear least-squares fitting of data points to equation 1 (main text) yielded $I C_{50}$ values to estimate differences in apparent binding affinity. Selfcompetition by full-length PE32-F and its corresponding $I C_{50}$ value was used as a reference point
for comparison to other oligonucleotides. As shown in Figure S1 C, deletions from either the 5' or 3' end of PE32-F reduced the apparent affinity for N -HisPur $\beta$ as signified by the progressively increasing $I C_{50}$ values of the shorter competitors. A second series of oligonucleotides of fixed length (20 mer) that scan the entirety of PE32-F were also tested in the ELISA. As shown in Figure S2, oligonucleotides corresponding to the ends of PE32-F proved to be the most efficient competitors. These data suggested that the decreased affinity observed with deletion mutants was not solely explained by a reduction in lattice length, but rather, by elimination of specific nucleotide binding determinants near the $5^{\prime}$ and $3^{\prime}$ ends of PE32-F.

## Comparison of Nucleoprotein Complexes Formed by Recombinant versus Non-Recombinant

Pur $\alpha / \beta$. Figure S3 shows the band shift profiles of nucleoprotein complexes generated by equilibration of PE32-F* $(1.0 \mathrm{nM})$ with purified N-HisPur $\beta$, N-HisPur $\alpha$, or crude AKR-2B fibroblast nuclear extract (N.E.). N-HisPur $\beta$, at a concentration of 5.0 nM , shifts PE32-F* into two visible bands (lane 2), speculated to be N -HisPur $\beta_{1}$ :PE32-F* (lower band) and N HisPur $\beta_{2}$ :PE32-F* (upper band). N-HisPura at 5.0 nM (lane 7) produces a slightly slower migrating complex, which likely corresponds to N - $\mathrm{HisPur} \alpha_{2}$ :PE32-F*. The subtle disparities in mobility of nucleoprotein complexes containing N -HisPur $\alpha$ or N -HisPur $\beta$ are consistent with known differences in the molecular weight and isoelectric point of each protein. Importantly, crude nuclear proteins from AKR-2B cells shift PE32-F* into a least two distinct complexes characterized by a lower band that runs similarly to the dominant $N$-HisPur $\beta$ complex, and an upper band, which runs similarly to the dominant N -HisPur $\alpha$ complex (lanes 4-6). Incubation of nuclear extract binding reactions with an antibody that specifically binds Pur $\beta$ clearly identifies the lower band as a Pur $\beta:$ PE32-F* complex, as indicated by its complete disappearance and the emergence of supershifted complexes, SS1 and SS2 (Figure S3, lanes 13 and 14). Conversely,
addition of an antibody that specifically binds Pur $\alpha$ pointed to the upper band as a Pura:PE32-F* complex (lanes 15 and 16). The incomplete supershifting of this band may be a consequence of anti-Purd 291 possessing a lower affinity for its target complex than anti-Pur $\beta$ 302. This supposition is supported by supershift profiles produced with recombinant Pur protein:ssDNA complexes (compare lanes 11 and 19). Taking into account small differences in the size and charge of the recombinant and naturally-occurring proteins, it is reasonable to infer from these data that the predominant, putative $2: 1$ protein:ssDNA complexes seen with N -HisPur $\beta$ and N HisPura mirror the complexes generated with Pur proteins synthesized by fibroblasts.

Monte Carlo error analysis of thermodynamic parameters. A lower level of experimental precision in DNase I footprint titrations translates in a higher level of uncertainty in fit parameters. As shown in the main text, free energy estimates from global fitting of individual site isotherms to a non-identical, two-site cooperative binding model carry with them relatively broad confidence intervals, especially in parameters that are cross-correlated by virtue of the mathematical expressions from which they are obtained. Estimated distributions for $\Delta G_{1}, \Delta G_{2}$, and $\Delta G_{c}$ in the context of the non-identical, interacting model were determined by Monte Carlo analysis simulating the experimentally observed level of error ( $\pm 13 \%$ ), and obtaining fit parameters for each of 1000 iterations. The distributions of the returned parameters are depicted in Figure S5. The cross-correlation between $\Delta G_{2}$ and $\Delta G_{c}$ can be readily seen by the mirror image, biphasic distributions of the two parameters, as well as their sheer broadness when error is simulated at $\pm 13 \%$. The biphasicity persists until error is reduced to $\pm 5 \%$, however, the width of the distributions remains significant for all levels of introduced error.

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Table S1. Sequences of deletion mutant oligonucleotides used as fluidphase competitors in Pur $\beta$ ssDNA-binding ELISA.

|  | Fluid Phase Competitor ${ }^{\text {a }}$ | Sequence ( $5^{\prime}-3^{\prime}$ ) |
| :---: | :---: | :---: |
| Truncation Series | PE32-F (-195/-164) ${ }^{\text {b }}$ | GGGAGCAGAACAGAGGAATGCAGTGGAAGAGA |
|  | -195/-166 | GGGAGCAGAACAGAGGAATGCAGTGGAAGA |
|  | -195/-168 | GGGAGCAGAACAGAGGAATGCAGTGGAA |
|  | -195/-170 | GGGAGCAGAACAGAGGAATGCAGTGG |
|  | -195/-172 | GGGAGCAGAACAGAGGAATGCAGT |
|  | -195/-174 | GGGAGCAGAACAGAGGAATGCA |
|  | -195/-176 | GGGAGCAGAACAGAGGAATG |
|  | -195/-178 | GGGAGCAGAACAGAGGAA |
|  | -195/-180 | GGGAGCAGAACAGAGG |
|  | -195/-182 | GGGAGCAGAACAGA |
|  | -195/-184 | GGGAGCAGAACA |
|  | -195/-186 | GGGAGCAGAA |
|  | -195/-188 | GGGAGCAG |
|  | -195/-190 | GGGAGC |
|  | -193/-164 | GAGCAGAACAGAGGAATGCAGTGGAAGAGA |
|  | -191/-164 | GCAGAACAGAGGAATGCAGTGGAAGAGA |
|  | -189/-164 | AGAACAGAGGAATGCAGTGGAAGAGA |
|  | -187/-164 | AACAGAGGAATGCAGTGGAAGAGA |
|  | -185/-164 | CAGAGGAATGCAGTGGAAGAGA |
|  | -183/-164 | GAGGAATGCAGTGGAAGAGA |
|  | -181/-164 | GGAATGCAGTGGAAGAGA |
|  | -179/-164 | AATGCAGTGGAAGAGA |
|  | -177/-164 | TGCAGTGGAAGAGA |
|  | -175/-164 | CAGTGGAAGAGA |
|  | -173/-164 | GTGGAAGAGA |
|  | -171/-164 | GGAAGAGA |
|  | -169/-164 | AAGAGA |
| Scanning Series | PE32-F (-195/-164) ${ }^{\text {b }}$ | GGGAGCAGAACAGAGGAATGCAGTGGAAGAGA |
|  | -183/-164 | GAGGAATGCAGTGGAAGAGA |
|  | -185/-166 | CAGAGGAATGCAGTGGAAGA |
|  | -187/-168 | AACAGAGGAATGCAGTGGAA |
|  | -189/-170 | AGAACAGAGGAATGCAGTGG |
|  | -191/-172 | GCAGAACAGAGGAATGCAGT |
|  | -193/-174 | GAGCAGAACAGAGGAATGCA |
|  | -195/-176 | GGGAGCAGAACAGAGGAATG |

${ }^{\text {a }}$ Numbers indicate the position relative to transcription start site of the mouse $\mathrm{SM} \alpha \mathrm{A}$ gene.
${ }^{\text {b }}$ Full-length oligonucleotide used as self-competition control.
Table S2. Microscopic configurations and corresponding interaction free energy terms describing various models of two-site DNA-binding.

1 Species diagrams represent possible microscopic configurations and do not necessarily reflect structural perturbations as a result of ligation, only that
facilitation of binding occurs in the case of interacting sites. ${ }^{2}$ Changes in free energy are related to microscopic constants by the equation $\Delta G_{i}=-R T \ln k_{i}$.

Table S3. Model-specific equations describing the fractional saturation of DNA sites A and B by protein based on a statistical mechanical method.

Hypothetical Model
Binding Equations

Obligate Dimer

Identical, independent

$$
\bar{Y}_{A, B}=\frac{k_{1} k_{d i}\left[P_{\text {free }}\right]^{2}}{1+k_{1} k_{d i}\left[P_{\text {free }}\right]^{2}}
$$

$$
\bar{Y}_{A, B}=\frac{k_{1}\left[P_{\text {free }}\right]+k_{1}^{2}\left[P_{\text {free }}\right]^{2}}{1+2 k_{1}\left[P_{\text {free }}\right]+k_{1}^{2}\left[P_{\text {free }}\right]^{2}}
$$

Identical, interacting

$$
\bar{Y}_{A, B}=\frac{k_{1}\left[P_{\text {free }}\right]+k_{1}^{2} k_{c}\left[P_{\text {free }}\right]^{2}}{1+2 k_{1}\left[P_{\text {free }}\right]+k_{1}^{2} k_{c}\left[P_{\text {free }}\right]^{2}}
$$

$$
\bar{Y}_{A}=\frac{k_{1}\left[P_{\text {free }}\right]+k_{1} k_{2}\left[P_{\text {free }}\right]^{2}}{1+\left(k_{1}+k_{2}\right)\left[P_{\text {free }}\right]+k_{1} k_{2}\left[P_{\text {free }}\right]^{2}}
$$

$$
\bar{Y}_{B}=\frac{k_{2}\left[P_{\text {free }}\right]+k_{1} k_{2}\left[P_{\text {free }}\right]^{2}}{1+\left(k_{1}+k_{2}\right)\left[P_{\text {free }}\right]+k_{1} k_{2}\left[P_{\text {free }}\right]^{2}}
$$

Non-identical, interacting

$$
\bar{Y}_{A}=\frac{k_{1}\left[P_{\text {free }}\right]+k_{1} k_{2} k_{c}\left[P_{\text {free }}\right]^{2}}{1+\left(k_{1}+k_{2}\right)\left[P_{\text {free }}\right]+k_{1} k_{2} k_{c}\left[P_{\text {free }}\right]^{2}}
$$

$$
\bar{Y}_{B}=\frac{k_{2}\left[P_{\text {free }}\right]+k_{1} k_{2} k_{c}\left[P_{\text {free }}\right]^{2}}{1+\left(k_{1}+k_{2}\right)\left[P_{\text {free }}\right]+k_{1} k_{2} k_{c}\left[P_{\text {free }}\right]^{2}}
$$

## SUPPORTING FIGURE LEGENDS

FIGURE S1: Semi-quantitative analysis of N-HisPur $\beta$ interaction with deletion mutants of PE32-F. (A) and (B) Results of fluid-phase competitor titrations in an ELISA-based ssDNAbinding assay are shown for a panel of truncated oligonucleotides with a common $3^{\prime}$ (-164 series) or $5^{\prime}(-195$ series $)$ end. Points represent mean $\pm$ s.d. of measurements made in triplicate. Data points were fit to equation 1 (main text) to determine $I C_{50}$ values for each competitor. (C) Resolved $I C_{50}$ values are plotted for each fluid-phase competitor (best fit $\pm 67 \%$ confidence interval). Competitors marked with an asterisk indicate very low affinity as evidenced by a nonresolvable $I_{50}$ value.

FIGURE S2: Semi-quantitative analysis of N-HisPur $\beta$ interaction with scanning mutants of PE32-F. (A) Results of fluid-phase competitor titrations in an ELISA-based ssDNA-binding assay are shown for a series of 20mer oligonucleotides that scan PE32-F in two nucleotide increments. Points represent mean $\pm$ s.d. of measurements made in triplicate. Data points were fit to equation 1 (main text) to determine $I C_{50}$ values for each competitor. (B) Resolved $I C_{50}$ values are plotted for each fluid-phase competitor (best fit $\pm 67 \%$ confidence interval). Competitors marked with an asterisk indicate very low affinity as evidenced by a non-resolvable $I C_{50}$ value.

FIGURE S3: Electrophoretic mobility (super)shift assay of purified, recombinant Pur $\alpha$ and Pur $\beta$ versus fibroblast-derived proteins. The relative electrophoretic mobilities of nucleoprotein complexes containing PE32-F* and either recombinant or nuclear extract-derived Pur $\alpha$ or Pur $\beta$ were compared in an attempt to identify the biologically relevant stoichiometric species. The predominant species observed with 5.0 nM N-HisPur $\beta$ and 1.0 nM PE32-F* (lane 2, predicted to be 2:1) is similar in mobility to the Pur $\beta$ complex generated with nuclear extract (lanes 4-6). The
presence of Pur $\beta$ in each complex was validated by supershifting with Pur $\beta 302$ antibody (compare lanes 10 and 11 to lanes 13 and 14). An analogous pattern is evident in N -HisPur $\alpha$ (lane 7) versus native Pur $\alpha$ complexes (lanes 4-6). The presence of Pur $\alpha$ in each complex was verified by supershifting with the Pur $\alpha 291$ antibody (compares lanes 18 and 19 to lanes 15 and 16). N.E., nuclear extract.

FIGURE S4: Statistical mechanical analysis of DNase I footprinting data to assess correspondence with conceptual models describing the interaction of N -HisPur $\beta$ with the MCAT-containing enhancer. Individual $3^{\prime}$ and $5^{\prime}$ site datasets were systematically and globally fit to equations describing various two-site models as illustrated in Tables S2 and S3. Blue symbols represent $N$-HisPur $\beta$ binding to the $3^{\prime}$ site. Red symbols represent binding to the $5^{\prime}$ site. Each point represents the mean $\pm$ s.d. of five independent experiments and the lines are best fit isotherms. Residual analysis and fit statistics best support a cooperative binding model involving two non-identical binding sites.

FIGURE S5: Monte Carlo error simulations to assess confidence in converged free energy values. Error-simulated individual site isotherms were globally fit to equations describing a two non-identical site, interacting model. Converged free energy parameters were plotted as frequency histograms of 1000 error simulations. Error levels of $\pm 13 \%$ (the level experimentally observed) led to broad distributions of parameters $\Delta G_{1}$ (black), $\Delta G_{2}$ (light gray), and $\Delta G_{c}$ (dark gray). Systematically reducing the error from $\pm 13 \%$ to $\pm 5 \%$ restricts the distribution of $\Delta G 1$, but not $\Delta G_{2}$ or $\Delta G_{c}$. The biphasic distributions of $\Delta G_{2}$ and $\Delta G_{c}$ at all tested error levels are indicative of parameter cross-correlation.


Fig. S2
A

$\rightarrow$ PE32-F (-195/-164)
$-\quad-183 /-164$
$\rightarrow-185 /-166$
$\rightarrow-187 /-168$
$\rightarrow-189 /-170$
$\rightarrow-191 /-172$
$\square-$-193/-174
$\triangle-195 /-176$

B




Fig. S5


