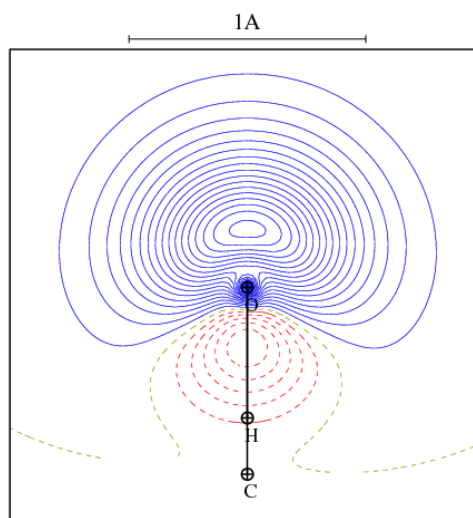


Supplementary material.

Figure S1

Example of another deformation of the experimental electron density in the lone pairs plane of a phenol group found in $(\pm)$ -8'-benzhydryl-ideneamino-1,1'-binaphthyl-2-ol (Farrugia, L. J.; Kocovsky, P.; Senn, H. M.; Vyskocil, S. *Acta Crystallogr.* 2009. B65, 757-769.)

Contours $\pm 0.05 e/\text{\AA}^3$. positive: solid blue lines. Negative: dashed red lines.



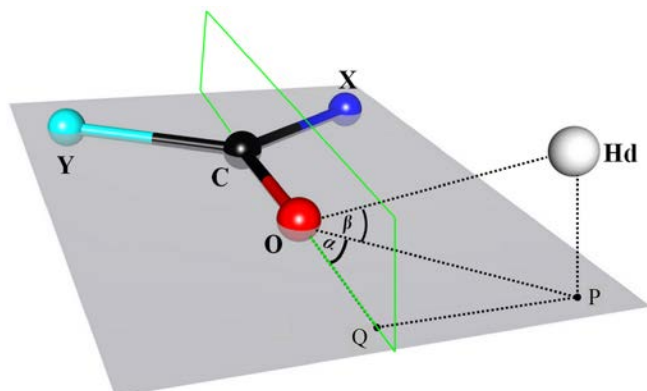


Figure S2: Diagram describing the α and β angles obtainment for carbonyl. P is the projection of Hd on the XYC=O plane containing the two lone pairs. Q is the projection of H on the C=O line.

Distances and angles used from the Cambridge Structural Database:

- OH_d = distance (O...Hd)
- PH_d = distance(Hd , COH plane)
- (CO , OH_d) angle

Derived geometric data.

$$OP = (OH_d^2 - PH_d^2)^{1/2}$$

$$OQ = \cos(CO, OH_d) * OH_d$$

$$\alpha = \arccosine (OQ / OP)$$

$$\beta = \arcsine (PH_d / OH_d)$$

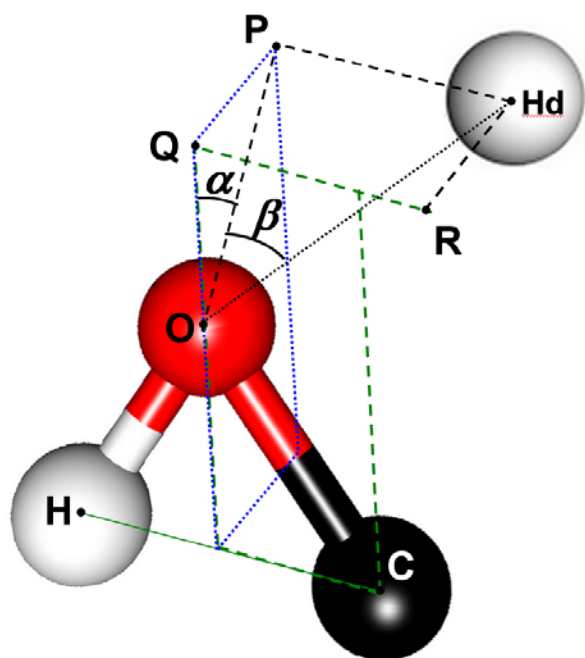


Figure S3:

Diagram describing the α and β angles obtainment for hydroxyl group C-O-H.

R is the projection of H_d on the COH plane.

Q is the projection on the inner bisecting line.

P is the projection on the COH bisecting plane containing the two electron lone pairs.

Distances and angles used from the Cambridge Structural Database:

- angles COH_d COH
- distances OH_d CH_d CO
- distance to COH plane: $\text{PQ} = \text{RH}_d$

Derived geometric data:

$$\text{OR} = (\text{OH}_d^2 - \text{RH}_d^2)^{1/2} \quad \text{as } \text{ORH}_d = 90^\circ$$

$$\text{CR} = (\text{CH}_d^2 - \text{RH}_d^2)^{1/2} \quad \text{as } \text{CRH}_d = 90^\circ$$

$$\text{Al-Kashi Theorem: } \text{COP} = \arccosine (\text{CO} * \text{CO} + \text{OR} * \text{OR} - \text{CR} * \text{CR}) / (\text{CO} * \text{OR})$$

$$\text{COQ} = 180 - \text{COH} / 2 \quad \text{as OQ is bisecting triangle COH.}$$

$$\text{COR} + \text{ROQ} = \text{COQ} \quad \text{addition of angles}$$

$$\text{Then } \text{ROQ} = \text{COQ} - \text{COR} = 180 - \text{COH} / 2 - \text{COR}$$

$$\text{QR} = \text{OR} * \sin(\text{ROQ}), \quad \text{QR} = \text{PH}_d \text{ is the distance to the electron lone pairs plane}$$

$$\text{OQ} = (\text{OR}^2 - \text{QR}^2)^{1/2} \quad \text{as } \text{OQR} = 90^\circ$$

$$\beta = \arcsine (\text{PH}_d / \text{OH}_d) \quad \alpha = \arctan (\text{PQ} / \text{OQ})$$