## **Supporting information for:**

### Understanding the Reactivity of Layered Transition Metal Sulfides: A Single Electronic Descriptor for Structure and Adsorption

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#### **1** Calculation details

Structures were calculated using plane-wave density functional theory (DFT) employing ultrasoftpseudopotentials as implemented in the QUANTUM ESPRESSO code.<sup>S1</sup> The BEEF-vdW exchangecorrelation functional  $^{S2-S5}$  was used for all calculations. A plane-wave cutoff and density cutoff of 500 eV and 5000 eV respectively were used. The bulk lattice constants are summarized in Table S1 and agree reasonably well with experimental values. The small discrepancy in the *c* parameter should not have a large effect on our results, since we consider only single layers. An infinite stripe model reported in previous studies  $^{S6-S8}$  was used to investigate the M-edge and S-edge. When determining adsorption energies on one type of edge, the other edge had a constant structure.

Two unit cell sizes were used for the infinite stripe (Figure 1 of the main text): The larger unit cell consisted of four Mo atoms by four Mo atoms in the *x* and *y* direction respectively, while the smaller unit cell consisted of two Mo atoms by four Mo atoms in the *x* and *y* directions respectively. The larger unit cell was used to describe coverages of  $\theta_{\rm H} = 0.25$  and 0.75 ML and the smaller unit cell was used to describe coverages of  $\theta_{\rm H} = 0.25$  and 0.75 ML and the smaller unit cell was used to describe coverages of  $\theta_{\rm H} = 0.35$  and 0.75 ML and the smaller unit cell was used to describe coverages of  $\theta_{\rm H} = 0.25$  and 0.75 ML and the smaller unit cell was used to describe coverages of  $\theta_{\rm H} = 0.25$  and 0.75 ML and the smaller unit cell was used to describe coverages of  $\theta_{\rm H} = 0.35$  and 1.0 ML. The adsorption of species other than H were all calculated on the larger unit cell. The MoS<sub>2</sub> stripes were separated by at least 9 Å of vacuum in the *y*-direction and 11 Å in the *z*-direction with periodic boundary conditions. The Brillouin zone was sampled by a Monkhorst-Pack  $2 \times 1 \times 1$  and  $4 \times 1 \times 1$  k-point grid for the large and small unit cells respectively. <sup>S9</sup> The structures were relaxed until all force components were less than 0.05 eV/Å. Spin-polarization was not considered.

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	Structure	Lattice parameters (Å)					
Compound		Theoretical			Experimental		
		a	С		a	С	Reference
MoS <sub>2</sub>	2H	3.19	13.05	3.	162	12.29	S10
$WS_2$	2H	3.20	13.33	3	.20	12.35	<b>S</b> 11
$NbS_2$	2H	3.36	13.12	3	.31	11.89	<b>S</b> 10
TaS <sub>2</sub>	2H	3.34	13.12	3.	314	12.097	S12

Table S1: Theoretical and experimental lattice parameters for transition metal sulfides

### 2 Adsorption energies

Differential adsorption energies are defined as:

$$\Delta E_{\rm H} = E(\text{stripe} + \text{H}) - E(\text{stripe}) - \frac{1}{2}E(\text{H}_2)$$
(1)

$$\Delta E_{\rm S} = E(\text{stripe} + \text{S}) + E(\text{H}_2) - E(\text{stripe}) - E(\text{H}_2\text{S})$$
(2)

$$\Delta E_{\rm SH} = E(\text{stripe} + \text{SH}) + \frac{1}{2}E(\text{H}_2) - E(\text{stripe}) - E(\text{H}_2\text{S})$$
(3)

$$\Delta E_{\rm O} = E(\text{stripe} + \text{O}) + E(\text{H}_2) - E(\text{stripe}) - E(\text{H}_2\text{O})$$
(4)

$$\Delta E_{\rm OH} = E(\text{stripe} + \text{OH}) + \frac{1}{2}E(\text{H}_2) - E(\text{stripe}) - E(\text{H}_2\text{O})$$
(5)

$$\Delta E_{\text{CHO}} = E(\text{stripe} + \text{CHO}) - E(\text{stripe}) - E(\text{CO}) - \frac{1}{2}E(\text{H}_2)$$
(6)

$$\Delta E_{\text{COOH}} = E(\text{stripe} + \text{COOH}) - E(\text{stripe}) - E(\text{CO}_2) - \frac{1}{2}E(\text{H}_2)$$
(7)

$$\Delta E_{\text{NNH}} = E(\text{stripe} + \text{NNH}) - E(\text{stripe}) - E(\text{N}_2) - \frac{1}{2}E(\text{H}_2)$$
(8)

$$\Delta E_{\mathrm{NH}_2} = E(\mathrm{stripe} + \mathrm{NH}_2) + \frac{1}{2}E(\mathrm{H}_2) - E(\mathrm{stripe}) - E(\mathrm{NH}_3)$$
(9)

where "stripe" refers to the stable structures (summarized below) except for the S and N containing adsorbates, where "stripe" refers to the stable structure with one S atom removed to form a defect.

#### **3** Stable edge structure determination

The stable S and H coverages of the edge are known to depend on the operating conditions. We follow a recently reported method of determining the edge structure under reducing conditions.<sup>S13,S14</sup> The free energy of each edge configuration  $\gamma$  was calculated using  $\gamma = [G_{\text{stripe}} - \sum_i N_i \mu_i]/2L$ , where the sum is over the number of atoms N and  $\mu$  of all *i* constituents of the stripe in the unit cell of length *L*. We used the bulk TMS for all pure TMS structures. For doped MoS<sub>2</sub> we defined the free energy in terms of a reference edge, which was chosen to be  $\theta_S = 0$  ML and  $\theta_H = 0$  ML as the reference. Either way,  $\gamma$  is then

$$\gamma = \frac{1}{2L} \left( G_{\text{stripe}} - N_{\text{S}} \mu_{\text{S}} - N_{\text{H}} \mu_{\text{H}} \right) - \frac{G_{\text{stripe}}^{\text{ref}}}{2L}$$
(10)

where  $G_{\text{stripe}}$  is the free energy of the infinite stripe, and  $G_{\text{stripe}}^{\text{ref}}$  is the reference. Under reducing conditions, the chemical potentials are determined by the following equilibrium reactions

$$2(\mathrm{H}^{+} + \mathrm{e}^{-}) + \mathrm{S}(^{*}) \rightleftharpoons \mathrm{H}_{2}\mathrm{S} + (^{*})$$
(11)

and

$$\mathbf{H}^+ + \mathbf{e}^- \rightleftharpoons \mathbf{H} \tag{12}$$

where (\*) is a S vacancy. Following the computational hydrogen electrode approach (CHE),  $^{S15,S16}$  the chemical potentials can be written in terms of the applied bias,  $U_{RHE}$  (defined relative to the reversible hydrogen electrode), as

$$\mu_{\rm H} = \frac{1}{2}\mu_{\rm H_2} - eU_{\rm RHE} \tag{13}$$

and

$$\mu_{\rm S} = \mu_{\rm H_2S} - 2\mu_{\rm H} = \mu_{\rm H_2S} - 2\left(\frac{1}{2}\mu_{\rm H_2} - eU_{\rm RHE}\right)$$
(14)

where  $H_2S$  of  $10^{-6}$  bar was chosen following standard corrosion resistance. S17,S18

The most thermodynamically stable edge configuration at  $U_{\text{RHE}} = 0$  V was chosen (since we are interested in the low over-potential range in  $U_{\text{RHE}} < 0$  V) according to their edge free energies  $\gamma$ , and then the stable coverage of H was taken to be where H<sub>2</sub> evolution is more exergonic than the desorption of (\*)SH as H<sub>2</sub>S or further H adsorption. The evolution of H<sub>2</sub>S should in reality be kinetically limited by hydrogen evolution at the S sites, since the pressure of H<sub>2</sub>S is negligible under operating conditions, but MoS<sub>2</sub> catalysts have been found to be stable.<sup>S8,S19,S20</sup> We use a thermodynamic approximation to this kinetic process in this model since adsorption energies are known to scale with kinetic barriers.<sup>S21,S22</sup>

The coverages were defined as a fraction of a monolayer with respect to the available sites at the edge:

$$\theta_{\rm H} = N_{\rm H}/N_{\rm S} \tag{15}$$

$$\theta_{\rm S} = N_{\rm S}/(2L) \tag{16}$$

where N is the number of atoms and L is the edge length. For structures with vacancies, the vacancy sites were counted as available sites instead of the S atom.

All structures are summarized below.

# 4 Summary of stable edge structures

Edge	Structure	$\theta_{\rm S}$ (ML)	$\theta_{\rm H}~({ m ML})$	$\mathcal{E}_{d}$ (eV)
MoS <sub>2</sub> Mo-edge		0.50	0.5	-0.73
MoS <sub>2</sub> S-edge		1.0	1.0	-0.89
WS <sub>2</sub> W-edge		0.50	0.25	-0.61
WS <sub>2</sub> S-edge		1.0	1.0	-0.48
NbS <sub>2</sub> Nb-edge		0.50	0.5	-0.09
NbS <sub>2</sub> S-edge		1.0	0.75	-0.20
TaS <sub>2</sub> Ta-edge		0.50	0.5	0.10
TaS <sub>2</sub> S-edge		1.0	1.0	0.01

Table S2: stable structures for various transition metal dichalcogenides

Table S3: stable structures for doped  $MoS_2$  S-edge

Dopant	Structure	$\theta_{\rm S}$ (ML)	$\theta_{\rm H}~({ m ML})$	$\mathcal{E}_{d}$ (eV)
Ag		0.25	0.50	-3.92
Au		0.25	0.50	-3.18
Co		0.50	0.25	-1.10
Ni		0.50	1.0	-1.29
Os		0.50	0.25	-1.67
Pd		0.50	1.0	-2.33
Pt		0.50	1.0	-2.50
Rh		0.50	0.25	-1.85
Ru		0.50	0.50	-1.11

#### 5 Relation between d-states and $d_{yz}$ and $d_{x^2-y^2}$ states

We find that the d-band center scales with the weighted centers of the  $d_{yz}$  and  $d_{x^2-y^2}$  states, which have been suggested to be especially important for the edge sites of MoS<sub>2</sub>-type catalysts. The linear correlation between the states suggest that the d-band center is sufficient in describing the important features of these other states and either of them could work just as well as an electronic descriptor

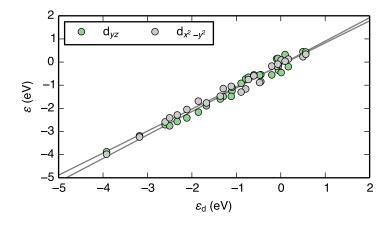


Figure S1: Plot of the d-band center  $\varepsilon_d$  vs. the  $d_{yz}$  center  $\varepsilon_{d_{yz}}$  and the  $d_{x^2-y^2}$  center  $\varepsilon_{d_{x^2-y^2}}$ . The quantities  $\varepsilon_{d_{yz}}$  and  $\varepsilon_{d_{x^2-y^2}}$  are defined in the same way as in  $\varepsilon_d$  except with the  $d_{yz}$  states and  $d_{x^2-y^2}$  states, respectively.

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