## Supporting Information for

Absolute binding free energy calculation and design of asubnanomolar inhibitor of phosphodiesterase-10

Zhe Li ${ }^{a, b, \#}$, Yiyou Huang ${ }^{a, \#}$, Yinuo $\mathrm{Wu}^{a}$, Jingyi Chen ${ }^{a}$, Deyan $\mathrm{Wu}^{a}$, Chang-Guo Zhan ${ }^{b, *}$, and Hai-Bin Luo ${ }^{a,{ }^{*}}$

${ }^{a}$ School of Pharmaceutical Sciences, Sun Yat-Sen University, Guangzhou 510006, P.R. China
${ }^{b}$ Department of Pharmaceutical Sciences, College of Pharmacy, University of Kentucky, 789 South Limestone Street, Lexington, KY, 40536

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## Section S1. PDE4, PDE5, and PDE9 inhibitors used in this study

PDE4 inhibitors: There are 20 PDE4 inhibitors examined in this study. The structures of the first 8 molecules share certain similarity, whereas the rest structures are quite different from each other. Structures of all the PDE4 inhibitors are given in Fig. S1.

PDE5 inhibitors: 11 PDE5 inhibitors were used in this study. Their structures are given in Fig. S2.
PDE9 inhibitors: Seven PDE9 inhibitors were used in this study. Their structures are given in Fig. S3.



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Fig. S1. Structures of PDE4 inhibitors used in this study.






6


9

10

11

Fig. S2. Structures of PDE5 inhibitors used in this study.


1


4


2


5


6

7

Fig. S3. Structures of PDE9 inhibitors used in this study.

## Section S2. An example to show how the GA-FEP calculations work

By using lig_16 of CDK2 as an example, the fitted probability distribution $P(\Delta U)$ is shown as Fig. S4. Picture (a) represents the complex system (Rec-Lig), and picture (b) represents the Lig system. The probability distributions of both forward $\Delta U$ and backward $\Delta U$ are included, and shown in the same color for the same alchemical state. The 10 probability distributions depicted by black, red, green, blue and cyan in Fig. S4 correspond to the first 5 states that annihilated the electrostatic interactions. The rest probability distributions in the center of the figure correspond to the following 5 states that deal with annihilating vdW interactions. To improve calculation accuracy, for each state, the forward and backward perturbation energies (calculated by equation (2)), and $\operatorname{BAR}(2,3)$ energies that combines the forward and backward results (calculated by equation (6) and (7)) were calculated based on the fitted probability distribution. For each state, if the energies of the forward and backward perturbations differ too much, the final result would be unreliable, and more simulations should be considered. Table S1 listed the calculation result of lig_16 of CDK2. In this table, c_fwd, c_bwd, $1 \_f w d, 1_{-}$bwd represent the forward and backward energy results calculated by basic FEP equation (2), c_dif and l_dif represents the energy difference between forward energy and backward energy, c_bar and l_bar represents the energy results calculated by BAR, and ene represents the final energy calculation result. As seen from the data in the table, for all the states, the forward and backward energies were similar to each other. The energy differece between the final state and the state prior to it was calculated by using the basic FEP equation instead of BAR due to the backward energy calculation from the final target state will face with 'endpoint catastrophes'(4). The c_tot and l_tot are the summations of the energetic results using BAR method (except for the final state which was calculated by using the basic FEP equation), and the final binding free energy was the difference between l_tot and c_tot. The sandard deviation of the electrostatic energy was evaluated based on the forward, backward and BAR energies. The sandard deviation of the total interaction energies was evaluated based on the forward and BAR energies, because the backward energy may be calculated for the final state.


Fig. S4. The fitted $\mathrm{P}(\Delta U)$ of all the states of lig_16 of CDK2. The $\mathrm{P}(\Delta U)$ for both the forward and backward calculations are included in this figure, and they are almost symmetric to each other with respect to the origin.

Table S1. Calculation result of lig_16 of CDK2. In this table, c_fwd, c_bwd, 1_fwd, 1_bwd represent the forward and backward energy results calculated by basic FEP equation, c_dif and 1_dif represent the energy difference between the forward and backward energies, c_bar and l_bar refer to the energy results calculated by BAR, and ene represents the final energy calculation result. c_tot and 1_tot refer to the summations of the energy results using BAR method (except for the final state which was calculated by using basic FEP equation), and the final binding free energy was the difference between $1 \_$tot and c_tot.

| state | c_fwd ${ }^{1}$ | c_bwd | c_bar | c_dif | l_fwd ${ }^{\text {2 }}$ | l_bwd | l_bar | 1_dif | c_tot | 1_tot | ene |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 00_reference | 91.608 | -90.593 | 91.14 | 1.015 | 93.106 | -93.139 | 93.122 | -0.033 | 91.14 | 93.122 | 1.982 |
| 01_charge_0.2 | 70.56 | -70.351 | 70.454 | 0.209 | 71.138 | -71.308 | 71.262 | -0.17 | 161.594 | 164.384 | 2.79 |
| 02_charge_0.4 | 50.662 | -50.883 | 50.787 | -0.221 | 50.023 | -49.95 | 50.084 | 0.073 | 212.381 | 214.468 | 2.087 |
| 03_charge_0.6 | 31.443 | -31.434 | 31.429 | 0.009 | 29.6 | -29.632 | 29.642 | -0.032 | 243.81 | 244.11 | 0.3 |
| 04_charge_0.8 | 11.992 | -11.352 | 11.688 | 0.64 | 9.772 | -9.77 | 9.768 | 0.002 | 255.498 | 253.878 | -1.62 |
| 05_charge_1.0 | 16.762 | -16.75 | 15.359 | 0.012 | 9.688 | -8.182 | 8.789 | 1.506 | 270.857 | 262.667 | -8.19 |
| 06_vdw_0.2 | 8.361 | -8.719 | 7.769 | -0.358 | 5.845 | -3.807 | 4.386 | 2.038 | 278.626 | 267.053 | -11.573 |
| 07_vdw_0.4 | 2.624 | -1.597 | 0.936 | 1.027 | 1.024 | -0.782 | 0.122 | 0.242 | 279.562 | 267.175 | -12.387 |
| 08_vdw_0.6 | -3.193 | 0.751 | -5.566 | -2.442 | -2.373 | 2.019 | -4.361 | -0.354 | 273.996 | 262.814 | -11.182 |
| 09_vdw_0.8 | -4.721 | --- | --- | -4.721 | -4.493 | --- | --- | --- | 269.275 | 258.321 | -10.954 |

[^0]
## Section S3. Using 10 lambda windows could reach to similar accuracy with that of $\mathbf{2 0}$ or $\mathbf{3 9}$ lambda windows.

The overall alchemical transformation of either Rec-Lig system or Lig system contains 10 alchemical states (lambda windows), in which the first 5 states were used to decouple the electrostatic interactions and the rest were used to decouple the vdW interactions. To show the effect of increasing the number of intermediate states to the energy calculation results, we calculated ABFE for 3 CDK2 inhibitors, including 30, 28 and 10iy, with doubled and quadrupled number of lambda windows. Table S 2 shows the calculation details of ligand $\mathbf{3 0}$, and calculation details of all other ligands could be found in Supporting Dataset S1. As could be seen from this table, the convergence of the FEP-ABFE calculations were pretty good. When lambda of charge interaction reached to 1.0 and lambda of vdW interaction reached to 0.999936 , the energies for (Rec-Lig system, Lig system) calculated with 39, 20 and 10 lambda values were (320.002, 305.880$) \mathrm{kcal} / \mathrm{mol},(319.376,305.848) \mathrm{kcal} / \mathrm{mol}$ and $(320.444,306.577) \mathrm{kcal} / \mathrm{mol}$, respectively, indicating the reliability of 10-lambda-windows FEP calculation. The energy for the last step of 10-lambda-windows calculation (lambda of vdW interaction from 0.999936 to 1.0) was calculated based on forward perturbation instead of BAR, and the calculated FEPABFE result ( $-14.119 \mathrm{kcal} / \mathrm{mol}$ ) was similar to that of 20-lambda-windows calculation (-13.988 $\mathrm{kcal} / \mathrm{mol}$ ) and 39-lambda-windows calculation ( $-14.234 \mathrm{kcal} / \mathrm{mol}$ ). Calculation results for 28 and 10iy (see Supporting Dataset S1 for details) also showed the good convergence and reliability of the 10-lambda-windows FEP calculation.

We further increased the simulation time from 4 ns to 20 ns for each lambda window for these three ligands, and the sampled probability distributions of the last 18 ns were used for energy calculation, and the ABFE results wasn't affected too much (Supporting Dataset S1).

Table S2. Calculation details of CDK2 inhibitor 30 using different number of $\lambda$ values. com_ene represents the energy of Rec-Lig system; lig_ene represents the energy of Lig system; FEP_ene represents the FEP energy calculated by equation (1). In the first
 decoupled in the following steps. Part of the table was omitted, and the full table could be found in Supporting Dataset S1.

| $\lambda$ values |  |  | $39 \lambda$ |  |  | $20 \lambda$ |  |  | $10 \lambda$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\lambda$ chg $\lambda$ | $\lambda$ vdw | com_ene | lig_ene | FEP_ene | com_ene | lig_ene | FEP_ene | com_ene | lig_ene | FEP_ene |  |
| 0.05 | 0.000000 | 28.791 | 29.525 | 0.734 |  |  |  |  |  |  |  |
| 0.10 | 0.000000 | 56.044 | 57.329 | 1.285 | 56.001 | 57.294 | 1.293 |  |  |  |  |
| 0.15 | 0.000000 | 81.770 | 83.523 | 1.753 |  |  |  |  |  |  |  |
| 0.20 | 0.000000 | 105.936 | 108.121 | 2.185 | 105.936 | 108.093 | 2.157 | 105.992 | 109.034 | 3.042 |  |
| $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ |  |
| 1.00 | 0.000000 | 294.846 | 293.617 | -1.229 | 294.988 | 293.590 | -1.398 | 295.142 | 294.826 | -0.316 |  |
| 1.00 | 0.264908 | 301.030 | 296.720 | -4.310 |  |  |  |  |  |  |  |
| 1.00 | 0.468559 | 306.490 | 299.561 | -6.929 | 306.217 | 299.525 | -6.692 |  |  |  |  |
| 1.00 | 0.622850 | 311.184 | 302.071 | -9.113 |  |  |  |  |  |  |  |
| 1.00 | 0.737856 | 315.151 | 304.124 | -11.027 | 314.820 | 303.962 | -10.858 | 315.194 | 305.726 | -9.468 |  |
| 1.00 | 0.822021 | 318.501 | 305.902 | -12.599 |  |  |  |  |  |  |  |
| 1.00 | 0.882351 | 321.411 | 307.568 | -13.843 | 320.790 | 307.188 | -13.602 |  |  |  |  |
| 1.00 | 0.924581 | 323.666 | 308.980 | -14.686 |  |  |  |  |  |  |  |
| 1.00 | 0.953344 | 325.305 | 309.982 | -15.323 | 324.558 | 309.309 | -15.249 | 325.283 | 311.295 | -13.988 |  |
| 1.00 | 0.972319 | 326.316 | 310.592 | -15.724 |  |  |  |  |  |  |  |
| 1.00 | 0.984375 | 326.908 | 310.863 | -16.045 | 326.328 | 310.396 | -15.932 |  |  |  |  |
| 1.00 | 0.991696 | 327.036 | 310.759 | -16.277 |  |  |  |  |  |  |  |
| 1.00 | 0.995904 | 326.775 | 310.452 | -16.323 | 325.972 | 310.460 | -15.512 | 326.552 | 311.584 | -14.968 |  |
| 1.00 | 0.998162 | 326.100 | 309.856 | -16.244 |  |  |  |  |  |  |  |
| 1.00 | 0.999271 | 324.825 | 308.937 | -15.888 | 323.653 | 308.961 | -14.692 |  |  |  |  |
| 1.00 | 0.999756 | 322.830 | 307.680 | -15.150 |  |  |  |  |  |  |  |
| 1.00 | 0.999936 | 320.002 | 305.880 | -14.122 | 319.376 | 305.848 | -13.528 | 320.444 | 306.577 | -13.867 |  |
| 1.00 | 0.999989 | 316.871 | 303.339 | -13.532 |  |  |  |  |  |  |  |
| 1.00 | 0.999999 | 313.305 | 299.746 | -13.559 | 313.125 | 299.812 | -13.313 |  |  |  |  |
| 1.00 | 1.000000 | 309.043 | 294.809 | -14.234 | 308.863 | 294.875 | -13.988 | 315.126 | 301.007 | -14.119 |  |

## Section S4. Comparison between ABFE and RBFE for the same data set

To show the accuracy of the ABFE calculation method and compare it with the reported RBFE method, the calculation result of each target is given here separately, as shown in Fig. S5. On the left side are the results calculated by our ABFE method, and on the right side are the results calculated by RBFE method reported by Abel and Wang (1). The pairwise comparison between the two methods shows that they have comparable accuracy. For some targets, such as CDK2, the ABFE method performed even better than the RBFE method.


Fig. S5. Comparison between the ABFE and RBFE data for the same data set.

## Section S5. Residual distribution of the GA-FEP/ABFE method.

to find out the distribution property of the calculated results of our GA-FEP method, we tried to put all the residual distributions of the $100+$ results in Figure 5 together, and the distribution is just like the histogram in Fig. S6 below. We have also added a Gaussian distribution with the same deviation $(\mathrm{SD}=1.03)$ and AUC on this figure, and we found that the distribution of the calculated result is just very much like a Gaussian distribution.


Fig. S6. Residual distributions of all the $>100 \mathrm{ABFE}$ results.

Section S6. Designed PDE10 inhibitors. Molecular structures of designed PDE10 inhibitors and their inhibitory activity ( $\mathrm{IC}_{50}$ ) are given in Table S3. The FEP calculated ABFE value are given in Table S4.
Table S3. Molecular structures of designed PDE10 inhibitors and their inhibitory activity (IC50)
Ligand

Table S4. Calculation and experimental results of designed PDE10 inhibitors. exp stands for Experimental results, and FEP-cal stands for the energy calculated by FEP. Correlation constant R between calculation and experimental results is 0.86 .

| ligand_ID | IC50(nM) | exp <br> $(\mathbf{k c a l} / \mathbf{m o l})$ | FEP-cal <br> $(\mathbf{k c a l} / \mathbf{m o l})$ | ene_corrected_by_linear_regression <br> $(\mathbf{k c a l} / \mathbf{m o l})^{\mathbf{1}}$ |
| :---: | :---: | :---: | :---: | :---: |
| LHB-1 | 1800 | -7.855 | -9.208 | -6.37 |
| LHB-2 | 890 | -8.273 | -12.121 | -8.39 |
| LHB-3 | 403 | -8.744 | -12.603 | -8.73 |
| LHB-4 | 5.9 | -11.252 | -17.07 | -11.83 |
| LHB-5 | 73 | -9.758 | -16.209 | -11.23 |
| LHB-6 | 1.7 | -11.991 | -16.779 | -11.63 |
| LHB-7 | 1.1 | -12.250 | -17.648 | -12.24 |
| LHB-8 | 2 | -11.895 | -18.039 | -12.51 |
| LHB-9 | 21 | -10.498 | -16.394 | -11.36 |
| LHB-10 | 0.87 | -12.389 | -15.328 | -10.62 |

${ }^{1}$ : The linear regression function between $\exp (x)$ and FEP-cal $(\mathrm{y})$ is $\mathrm{y}=1.4379 \mathrm{x}-0.0545$. ene_corrected_by_linear_regression is the corresponding predicted $x$ value for each ligand based on the linear regression function.

Section S7. Crystal structure of PDE10 with LHB-6 was determined to verify the predicted binding mode. The coordinate and structure factors have been deposited in the Protein Data Bank with PDB ID 5ZNL. The diffraction data is given in Table S5.

Table S5. Diffraction data and structure refinement statistic for PDE10A-LHB-6 structure

| Data collection | PDE10A-LHB-6 |
| :--- | :--- |
| Wavelength $(\AA)$ | 1.5418 |
| Temperature (K) | 100 |
| Resolution (A) | $24.11-2.80$ |
| Space group | P2 $222_{1}$ |
| Unit Cell |  |
| $\quad a, b, c(\AA)$ | $49.151,81.328,158.207$ |
| $\alpha, \beta, \gamma\left({ }^{\circ}\right)$ | $90.00,90.00,90.00$ |
| No. reflections | $73182(15928)$ |
| Completeness $(\%)$ | $97.86(97.69)$ |
| $R_{\text {merge }}$ | $0.107(0.274)$ |
| <I/ $(I)>$ | $11.7(3.7)$ |
| Redundancy | $4.6(3.34)$ |
| Structure refinement |  |
| R-factor/R-free | $0.23 / 0.30$ |
| RMS deviations |  |
| Bond lengths | $0.0081 \AA$ |
| Bond angles | 1.1754 |
| Average B-factor $\left(\AA^{2}\right)($ atoms $)$ |  |
| Protein | $34.8(5003)$ |
| Inhibitor | $30.6(62)$ |
| Zn | $33.6(2)$ |
| Mg | $17.6(2)$ |
| Waters | $16.8(80)$ |
| Ramachandran plot | $95.70 \%$ |
| Preferred | $4.14 \%$ |
| Allowed |  |

Section S8. Details about fitting probability distribution. In the post-simulation processing steps, for each FEP state, the last 2 ns were saved into production MD trajectory files with an interval of 100 fs , which resulted in 20,000 snapshots. As shown in Fig. S7, all the 20,000 data points of $\Delta U$ was transformed to its distribution $P(\Delta U)_{\text {data }}$ with 150 bins. As a result, we get 150 data points of $P(\Delta U)_{\text {data }}$. Since there are 15 parameters to fit, the number of data points is 10 times of that of the parameters, and thus it's unlikely to be overfitted.


Fig. S7. $\Delta U$ data points transformed to the distribution $P(\Delta U)_{d a t a}$

To fit these parameters, we used the following least square procedures:

1. Since the function to be fitted is in the following form:

$$
P(\Delta U)_{f u n c}=\sum_{i=1}^{5} c_{i} \exp \left(-\frac{\left(\Delta U-\mu_{i}\right)^{2}}{2 \sigma_{i}^{2}}\right)
$$

We designed a cost function in the form of

$$
\begin{array}{r}
\operatorname{Cost}\left(c_{i}, \mu_{i}, \sigma_{i}, \Delta U, P(\Delta U)_{\text {data }}\right)=\sum_{\text {over all data points }}\left(P(\Delta U)_{\text {data }}-P(\Delta U)_{\text {func }}\right)^{2} \\
=\sum_{\text {over all data points }}\left(P(\Delta U)_{\text {data }}-\sum_{i=1}^{5} c_{i} \exp \left(-\frac{\left(\Delta U-\mu_{i}\right)^{2}}{2 \sigma_{i}^{2}}\right)\right)^{2},
\end{array}
$$

where $P(\Delta U)_{\text {data }}$ is the distribution data of the original FEP simulation.
2. We minimized the value of the cost function by using Stochastic Steepest Descent (SGD) method and get the optimized parameters for the fitted function. Of course, other
minimization method can also be applied, which include Mini-batch Steepest Descent, Stochastic Steepest Descent with momentum, Nesterov Accelerated Gradient, Adagrad, Adadelta, RMSprop, etc. However, SGD method just worked well in this situation.

SGD method optimize the 15 parameters $c_{i}, \mu_{i}, \sigma_{i}$ where $i=1,2,3,4,5$ by the following procedure:
$\left(c_{i}, \mu_{i}, \sigma_{i}\right)_{t}=\left(c_{i}, \mu_{i}, \sigma_{i}\right)_{t-1}-\lambda \nabla_{c_{i}, \mu_{i}, \sigma_{i}} \operatorname{Cost}\left(c_{i}, \mu_{i}, \sigma_{i}, \Delta U, P(\Delta U)_{d a t a}\right)$
Loop until the parameters in the $t$ th cycle $\left(c_{i}, \mu_{i}, \sigma_{i}\right)_{t}$ are very close to $\left(c_{i}, \mu_{i}, \sigma_{i}\right)_{t-1}$, and the resulted $\left(c_{i}, \mu_{i}, \sigma_{i}\right)_{t}$ are the optimized parameters for the fitted function.

The fitted probability distribution will be like Fig. S8:


Fig. S8. Fitting the probability distribution.
Note: The probability distribution used as the example is a little bit "skewed" because this is a perturbation of ligand system from $\left(\lambda \_c h g=1.00, \lambda_{\_} \mathrm{vdw}=0.953344\right)$ to $\left(\lambda_{\_}\right.$chg $=1.00$, $\left.\lambda_{\_} \mathrm{vdw}=0.995904\right)$. The ligand is nearly totally annihilated, and the surrounding water molecules can get closer to the atoms of the ligand. The unphysical state will skew the resulted probability distribution. We are using this example here just want to show that 5 Gaussians can work well even for skewed distributions near the end of the perturbation. Here are some other examples of fitted probability distributions in Fig. S9:


Fig. S9. Examples of some fitted probability distributions
3. Based on the fitted function, we generate 500,000 to $1,000,000$ new data points. The newly generated data points are used for further energy calculations based on either BAR method (Eq. 6 and 7) or traditional FEP method (Eq. 2).

Section S9. ${ }^{1} \mathrm{H}$ NMR and ${ }^{13} \mathrm{C}$ NMR spectrums of the designed PDE10 inhibitors


Fig. S10. ${ }^{1}$ H-NMR spectrum of compound LHB-2


Fig. S11. ${ }^{13} \mathrm{C}-\mathrm{NMR}$ spectrum of compound LHB-2


Fig. S12. ${ }^{1} \mathrm{H}$-NMR spectrum of compound LHB-3


Fig. S13. ${ }^{13} \mathrm{C}-\mathrm{NMR}$ spectrum of compound $\mathbf{L H B}-3$


Fig. S14. ${ }^{1} \mathrm{H}-\mathrm{NMR}$ spectrum of compound LHB-4


Fig. S15. ${ }^{13}$ C-NMR spectrum of compound LHB-4


Fig. S16. ${ }^{1} \mathrm{H}$-NMR spectrum of compound LHB-5


Fig. S17. ${ }^{13} \mathrm{C}-\mathrm{NMR}$ spectrum of compound LHB-5


Fig. S18. ${ }^{1} \mathrm{H}-\mathrm{NMR}$ spectrum of compound LHB-6


Fig. S19. ${ }^{13} \mathrm{C}-\mathrm{NMR}$ spectrum of compound LHB-6


Fig. S20. ${ }^{13} \mathrm{C}-\mathrm{NMR}$ spectrum of compound LHB-7


Fig. S21. ${ }^{13} \mathrm{C}-\mathrm{NMR}$ spectrum of compound LHB-7


Fig. S22. ${ }^{1} \mathrm{H}-\mathrm{NMR}$ spectrum of compound LHB-8


Fig. S23. ${ }^{13} \mathrm{C}$-NMR spectrum of compound LHB-8


Fig. S24. ${ }^{1} \mathrm{H}$-NMR spectrum of compound LHB-9


Fig. S25. ${ }^{13} \mathrm{C}-\mathrm{NMR}$ spectrum of compound LHB-9


Fig. S26. ${ }^{1}$ H-NMR spectrum of compound LHB-10


Fig. S27. ${ }^{13}$ C-NMR spectrum of compound LHB-10

Section S10. HPLC spectrum for the purity of representative target compounds

SHIMADZU LC-20AT (column, Hypersil BDS C18, $5.0 \mu \mathrm{~m}, 4.6 \mathrm{~mm} \times 150 \mathrm{~mm}$ (Elite); detector, SPD-20A UV/vis detector, UV detection at 254 nm ; elution, MeOH in water ( $50 \%, \mathrm{v} / \mathrm{v}$ ); $\mathrm{T}=25^{\circ} \mathrm{C}$; flow rate $\left.=1.0 \mathrm{~mL} / \mathrm{min}\right)$.


LHB-4


| Peak\# | Retention Time | Peak area | Peak height | Peak area\% |
| :--- | :--- | :--- | :--- | :--- |
| 1 | 2.481 | 2780685 | 259226 | 97.8756 |
| 2 | 3.320 | 60355 | 4508 | 2.1244 |

Purity: 97.9\%
Fig. S28. HPLC spectrum for the purity of LHB-4

SHIMADZU LC-20AT (column, Hypersil BDS C18, $5.0 \mu \mathrm{~m}, 4.6 \mathrm{~mm} \times 150 \mathrm{~mm}$ (Elite); detector, SPD-20A UV/vis detector, UV detection at 254 nm ; elution, MeOH in water ( $50 \%, \mathrm{v} / \mathrm{v}$ ); $\mathrm{T}=25^{\circ} \mathrm{C}$; flow rate $\left.=1.0 \mathrm{~mL} / \mathrm{min}\right)$.


LHB-6


| Peak\# | Retention Time | Peak area | Peak height | Peak area\% |
| :--- | :--- | :--- | :--- | :--- |
| 1 | 7.788 | 1255231 | 56914 | 3.4254 |
| 2 | 8.817 | 35389720 | 1091410 | 96.5746 |

## Purity: 96.6\%

Fig. S29. HPLC spectrum for the purity of LHB-6

SHIMADZU LC-20AT (column, Hypersil BDS C18, $5.0 \mu \mathrm{~m}, 4.6 \mathrm{~mm} \times 150 \mathrm{~mm}$ (Elite); detector, SPD-20A UV/vis detector, UV detection at 254 nm ; elution, MeOH in water ( $50 \%, \mathrm{v} / \mathrm{v}$ ); $\mathrm{T}=25^{\circ} \mathrm{C}$; flow rate $\left.=1.0 \mathrm{~mL} / \mathrm{min}\right)$.


LHB-7


## Purity: 95.4\%

Fig. S30. HPLC spectrum for the purity of LHB-7

SHIMADZU LC-20AT (column, Hypersil BDS C18, $5.0 \mu \mathrm{~m}, 4.6 \mathrm{~mm} \times 150 \mathrm{~mm}$ (Elite); detector, SPD-20A UV/vis detector, UV detection at 254 nm ; elution, MeOH in water $(60 \%, \mathrm{v} / \mathrm{v}) ; \mathrm{T}=25^{\circ} \mathrm{C}$; flow rate $\left.=1.0 \mathrm{~mL} / \mathrm{min}\right)$.


LHB-8


#### Abstract

 | Peak\# | Retention Time | Peak area | Peak height | Peak area\% |
| :--- | :--- | :--- | :--- | :--- |
| 1 | 2.468 | 24300 | 2893 | 0.2897 |
| 2 | 3.935 | 8334977 | 669950 | 99.3730 |
| 3 | 4.782 | 26419 | 2668 | 0.3150 |
| 4 | 6.181 | 1874 | 319 | 0.0223 |


## Purity: 99.4\%

Fig. S31. HPLC spectrum for the purity of LHB-8

SHIMADZU LC-20AT (column, Hypersil BDS C18, $5.0 \mu \mathrm{~m}, 4.6 \mathrm{~mm} \times 150 \mathrm{~mm}$ (Elite); detector, SPD-20A UV/vis detector, UV detection at 254 nm ; elution, MeOH in water $(55 \%, \mathrm{v} / \mathrm{v}) ; \mathrm{T}=25^{\circ} \mathrm{C}$; flow rate $\left.=1.0 \mathrm{~mL} / \mathrm{min}\right)$.


LHB-10


| Peak\# | Retention Time | Peak area | Peak height | Peak area\% |
| :--- | :--- | :--- | :--- | :--- |
| 1 | 1.756 | 65065 | 6282 | 0.6450 |
| 2 | 7.562 | 10022295 | 254729 | 99.3550 |

Purity: 99.4\%
Fig. S32. HPLC spectrum for the purity of LHB-10

## Section S11. High-resolution mass spectra (HRMS) spectrums of representative

 compounds| Elmt | Val. | Min | Max | Elmt | Val. | Min | Max | Elmt | Val. | Min | Max | Elmt | Val. | Min | Max | Use Adduct |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| H | 1 | 0 | 27 | N | 3 | 0 | 6 | P | 3 | 0 | 0 | Cu | 2 | 0 | 0 | H |
| B | 3 | 0 | 0 | 0 | 2 | 0 | 5 | S | 2 | 0 | 1 | Br | 1 | 0 | 0 | Na |
| C | 4 | 0 | 28 | F | 1 | 0 | 0 | Cl | 1 | 0 | 0 | I | 3 | 0 | 0 |  |
| Error Margin (mDa): 20.0 <br> HC Ratio: unlimited <br> Max Isotopes: all <br> MSn Iso RI (\%): 75.00 |  |  |  |  |  |  | BE Ra N N pe RI ogic M | $\begin{aligned} & \text { e: }-2.0 \\ & \text { le: yes } \\ & \text { f): } 1.00 \\ & \text { e: AND } \end{aligned}$ | 100 |  |  | Electro Use MS Isotop Max R | lons: <br> Info: <br> Res: <br> esults: | both yes 10000 800 |  |  |



Fig. S33. HRMS spectrum of LHB-4


C22 H23 N5 O3 S $[\mathrm{M}+\mathrm{H}]+$ : Predicted region for $438.1594 \mathrm{~m} / \mathrm{z}$


Fig. S34. HRMS spectrum of LHB-6


$\mathrm{C} 23 \mathrm{H} 26 \mathrm{~N} 6 \mathrm{O} 2 \mathrm{~S}[\mathrm{M}+\mathrm{H}]+$ : Predicted region for $451.1911 \mathrm{~m} / \mathrm{z}$


## Fig. S35. HRMS spectrum of LHB-7



Fig. S36. HRMS spectrum of LHB-8


Measured region for $487.1444 \mathrm{~m} / \mathrm{z}$


| Rank | Score Formula (M) | lon | Meas. m/z | Pred. m/z | Df. (mDa) | Df. (ppm) | Iso | DBE |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 2 | $96.69^{-} \mathrm{C} 26 \mathrm{H} 22 \mathrm{~N} 404 \mathrm{~S}$ | [M+H]+ | 487.1444 | 487.1435 | D. 0.9 | ${ }^{\text {D. }} 1.85$ | 98.79 | 18.0 |

Fig. S37. HRMS spectrum of LHB-10

## Supporting References

1. Neuhaus J-M, Sitcher L, Meins F, Jr, Boller T (1991) A short C-terminal sequence is necessary and sufficient for the targeting of chitinases to the plant vacuole. Proc Natl Acad Sci USA 88:1036210366.
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[^0]:    ${ }^{1}$ : c in c_fwd, c_bwd, c_bar and c_tot represents the Rec-Lig complex
    ${ }^{2}: 1$ in 1_fwd, 1_bwd, 1_bar and 1_tot represents the Lig system

