## Supporting Information

## Probing the Strongest Aromatic Cyclopentadiene Ring by Hyperconjugation

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Table S1. The EDA results for electropositive substituted cyclopentadienes at the TPSS-D3/TZ2P level. Energies are given in $\mathrm{kcal}_{\mathrm{mol}}{ }^{-1}$.


|  | $\mathbf{1}$ | $\mathbf{3}$ | $\mathbf{4}$ | $\mathbf{5}$ |
| :--- | :---: | :---: | :---: | :---: |
| Symmetry | $\mathrm{C}_{2 v}$ | $\mathrm{C}_{2 v}$ | $\mathrm{C}_{2 v}$ | $\mathrm{C}_{2}$ |
| $\Delta \mathrm{E}_{\text {int }}$ | -293.0 | -285.7 | -288.0 | -269.6 |
| $\Delta \mathrm{E}_{\sigma}$ | -236.5 | -286.8 | -316.7 | -523.4 |
| $\Delta \mathrm{E}_{\pi}$ | -189.9 | -207.2 | -218.2 | -274.8 |
| $\Delta \mathrm{E}_{\text {meta }}$ | 5.6 | 4.7 | 2.0 | 11.6 |
| $\Delta \mathrm{E}_{\text {orb }}$ | -420.8 | -489.2 | -532.9 | -786.6 |
| $\Delta \mathrm{E}_{\text {Pauli }}$ | 395.4 | 514.7 | 542.8 | 995.0 |
| $\Delta \mathrm{E}_{\text {elstat }}$ | -266.3 | -308.0 | -293.5 | -466.4 |
| $\Delta \mathrm{E}_{\text {disp }}$ | -1.2 | -3.1 | -4.5 | -11.6 |

Table S2. The EDA results for the complexes 5 to 11 at the TPSS-D3/TZ2P level. Energies are given in kcal $\mathrm{mol}^{-1}$.

|  | $\mathbf{6}$ | $\mathbf{7}$ | $\mathbf{8}$ | $\mathbf{5}$ | $\mathbf{9}$ | $\mathbf{1 0}$ | $\mathbf{1 1}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\Delta \mathrm{E}_{\text {int }}$ | -268.5 | -268.7 | -269.0 | -269.6 | -273.1 | -272.7 | -275.6 |
| $\Delta \mathrm{E}_{\pi}$ | -513.6 | -519.7 | -519.0 | -523.4 | -801.7 | -520.1 | -814.6 |
| $\Delta \mathrm{E}_{\sigma}$ | -264.2 | -268.9 | -271.0 | -274.8 | $/$ | -278.4 | 1 |
| $\Delta \mathrm{E}_{\text {meta }}$ | 11.2 | 11.2 | 11.3 | 11.6 | 11.7 | 11.8 | 11.6 |
| $\Delta \mathrm{E}_{\text {orb }}$ | -766.5 | -777.4 | -778.7 | -786.6 | -790.1 | -786.6 | -803.0 |
| $\Delta \mathrm{E}_{\text {Pauli }}$ | 967.6 | 983.4 | 982.1 | 995.0 | 994.0 | 988.4 | 1014.0 |
| $\Delta \mathrm{E}_{\text {elstat }}$ | -458.4 | -463.0 | -461.2 | -466.4 | -465.5 | -463.1 | -475.1 |
| $\Delta \mathrm{E}_{\text {disp }}$ | -11.2 | -11.7 | -11.2 | -11.6 | -11.5 | -11.4 | -11.5 |

In EDA, bond formation between the interacting fragmentscan be divided into four termselectrostatic interactions ( $\Delta \mathrm{E}_{\text {elstat }}$ ), Pauli repulsive orbital interactions ( $\Delta \mathrm{E}_{\text {Pauii }}$ ), and attractive orbital interactions ( $\Delta \mathrm{E}_{\text {orb }}$ ), and dispersion interactions ( $\Delta \mathrm{E}_{\text {disp }}$ ), the total bonding energy can be described in this equation [Eq. (1)], in which the $\Delta \mathrm{E}_{\text {elstat }}$ and $\Delta \mathrm{E}_{\text {Pauli }}$ can be combined into a steric interaction term, $\Delta \mathrm{E}_{\text {steric }}=\Delta \mathrm{E}_{\text {Pauli }}+\Delta \mathrm{E}_{\text {elstat }}$. The term $\Delta \mathrm{E}_{\text {elstat }}$ corresponds to quasi-classical electrostatic attraction, which is calculated with the frozen geometry of the entire molecule, are superimposed without electronic relaxation. The Pauli repulsion $\Delta \mathrm{E}_{\text {Paui }}$ refers to the product wave function becomes antisymmetrized and renormalized. The stabilizing orbital interaction $\Delta \mathrm{E}_{\text {orb }}$ represents the molecular orbitals relax to their final form. . The orbital interaction energy can be further divided into contributions of orbitals having different symmetry $\left(\Delta \mathrm{E}_{\text {orb }}=\Delta \mathrm{E}_{\pi}+\Delta \mathrm{E}_{\sigma}\right)$. In addition, the $\Delta \mathrm{E}_{\text {meta }}$ refers the MetaGGA correction in the total orbital interactions. This orbital interaction $\Delta \mathrm{E}_{\text {orb }}$ is crucial for the present study.

$$
\Delta \mathrm{E}_{\text {int }}=\Delta \mathrm{E}_{\text {elstat }}+\Delta \mathrm{E}_{\text {Pauli }}+\Delta \mathrm{E}_{\text {orb }}+\Delta \mathrm{E}_{\text {disp }} \text { (1). }
$$



Figure S1. ACID isosurfaces of $\mathbf{1}$. Current density vectors are plotted onto the ACID by the $\pi$ contribution with an isosurface of 0.030 to indicate dia- and paratropic ring currents. The magnetic field vector is orthogonal with respect to the ring plane and points upward (clockwise currents are diatropic).


Figure S2. ACID isosurfaces of 2. Current density vectors are plotted onto the ACID by the $\pi$ contribution with an isosurface of 0.030 to indicate dia- and paratropic ring currents. The magnetic field vector is orthogonal with respect to the ring plane and points upward (clockwise currents are diatropic).


Figure S3. ACID isosurfaces of 3. Current density vectors are plotted onto the ACID by the $\pi$ contribution with an isosurface of 0.030 to indicate dia- and paratropic ring currents. The magnetic field vector is orthogonal with respect to the ring plane and points upward (clockwise currents are diatropic).


Figure S4. ACID isosurfaces of 4. Current density vectors are plotted onto the ACID isosurface of 0.030 to indicate dia- and paratropic ring currents. The magnetic field vector is orthogonal with respect to the ring plane and points upward (clockwise currents are
diatropic).


Figure S5. ACID isosurfaces of 5 . Current density vectors are plotted onto the ACID isosurface of 0.030 to indicate dia- and paratropic ring currents. The magnetic field vector is orthogonal with respect to the ring plane and points upward (clockwise currents are diatropic).


Figure S6. ACID isosurfaces of 6 . Current density vectors are plotted onto the ACID isosurface of 0.030 to indicate dia- and paratropic ring currents. The magnetic field vector is orthogonal with respect to the ring plane and points upward (clockwise currents are diatropic).


Figure S7. ACID isosurfaces of 7. Current density vectors are plotted onto the ACID isosurface of 0.030 to indicate dia- and paratropic ring currents. The magnetic field vector is orthogonal with respect to the ring plane and points upward (clockwise currents are diatropic).


Figure S8. ACID isosurfaces of 8 . Current density vectors are plotted onto the ACID isosurface of 0.030 to indicate dia- and paratropic ring currents. The magnetic field vector is orthogonal with respect to the ring plane and points upward (clockwise currents are diatropic).


Figure S9. ACID isosurfaces of 9 . Current density vectors are plotted onto the ACID isosurface of 0.030 to indicate dia- and paratropic ring currents. The magnetic field vector is orthogonal with respect to the ring plane and points upward (clockwise currents are diatropic).


Figure S10. ACID isosurfaces of 10. Current density vectors are plotted onto the ACID isosurface of 0.030 to indicate dia- and paratropic ring currents. The magnetic field vector is orthogonal with respect to the ring plane and points upward (clockwise currents are diatropic).


Figure S11. ACID isosurfaces of 11. Current density vectors are plotted onto the ACID isosurface of 0.030 to indicate dia- and paratropic ring currents. The magnetic field vector is orthogonal with respect to the ring plane and points upward (clockwise currents are diatropic).



Figure S12. Correlation between the ISE values against $\Delta B L$ ( $a^{\prime}$ ) or NICS values ( $b^{\prime}$ ) for the substituted cyclopentadienes without 1 and 2.



Figure S13. The C-C bond lengths $(\AA)$, $\Delta B L$ values $(\AA)$, ISE values ( $\mathrm{kcal} \mathrm{mol}^{-1}$ ) and NICS values (ppm) of substituted cyclopentadienes 4, 4', 11 and 11'.


Figure S14. Optimizing the geometry of complex 12 (potassium substituted cyclopentadiene) leads to a $\boldsymbol{\eta}^{5}$ copper complex (Similar Cp complexes have been previously reported). So in our paper, we didn't consider the other main group metal like potassium.

